

SUSY Basics III

Hitoshi Murayama (IPMU Tokyo & Berkeley)
pre-SUSY 08, KIAS



Plan

I: Non-technical Overview

what SUSY is supposed to give us

II: From formalism to the MSSM

Global SUSY formalism, Feynman rules, soft
SUSY breaking, MSSM

III: SUSY breaking

how to break SUSY, mediation mechanisms

Breaking SUSY

Tree-level SUSY breaking

- O'Raifeartaigh model $W = \lambda X(Z^2 - v^2) + mYZ$

$$F_X^* = \frac{\partial W}{\partial X} = \lambda(Z^2 - v^2) = 0$$

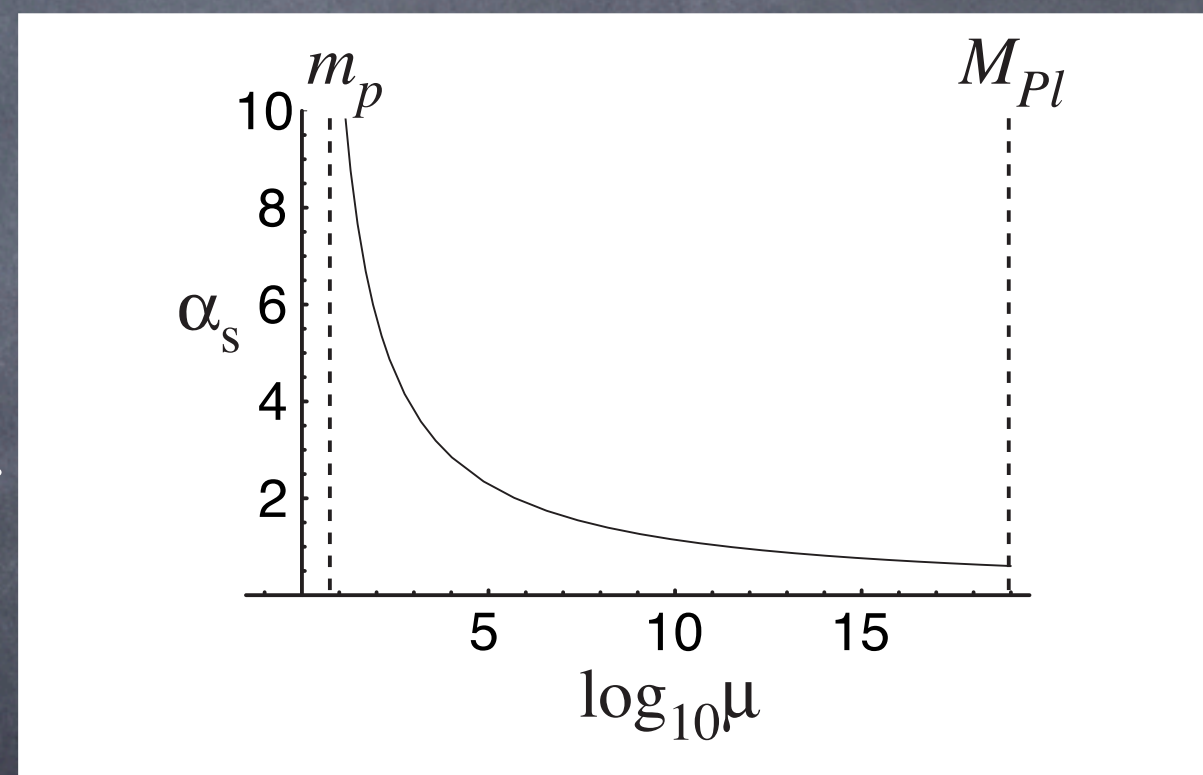
$$F_Y^* = \frac{\partial W}{\partial Y} = mZ = 0$$

- Cannot be satisfied simultaneously
- Ground state at $X=Y=Z=0$
- $V = |F_X|^2 = \lambda^2 v^4 \neq 0$
- ψ_Z : m^2
- A_Z : $m^2 \pm \lambda v^2$
- SUSY indeed broken
- However, the hierarchy $v \ll M_{Pl}$ put in by hand

Dynamical SUSY Breaking

- Nobody is worried why $m_p \ll M_{Pl}$
- If SUSY is broken also by strong gauge dynamics, hierarchy naturally understood
- If not broken at the tree-level, not broken at all orders in perturbation theory
broken non-perturbatively

$$m_p \approx M_{Pl} e^{-8\pi^2 / g_s^2(M_{Pl}) b_0}$$



How to Break SUSY

- Breaking SUSY has been difficult
- Nelson-Seiberg: you need either
 - non-generic superpotential
 - need exact $U(1)_R$ spontaneously broken
- Either way, theory needs to be rather special, not a whole lot of models known

How to Break SUSY

- Breaking SUSY has been difficult
- Nelson–Seiberg: you need either
 - non-generic superpotential
 - need exact $U(1)_R$ spontaneously broken
- Either way, theory needs to be rather special, not a whole lot of models known

	$SU(6)$	$U(1)$	$U(1)_m$	$U(1)_R$	
A	15	+2	0	$-\frac{18}{7}$	$W = A\bar{F}^+ \bar{F}^- + \bar{F}^0(F^+ S^- + F^- S^+) + FF^0 S^0$
F	6	-5	0	$-\frac{18}{7}$	
\bar{F}^\pm	$\bar{6}$	-1	± 1	$\frac{16}{7}$	
\bar{F}^0	$\bar{6}$	-1	0	$\frac{16}{7}$	
S^\pm	1	+6	± 1	$\frac{16}{7}$	
S^0	1	+6	0	$\frac{16}{7}$	

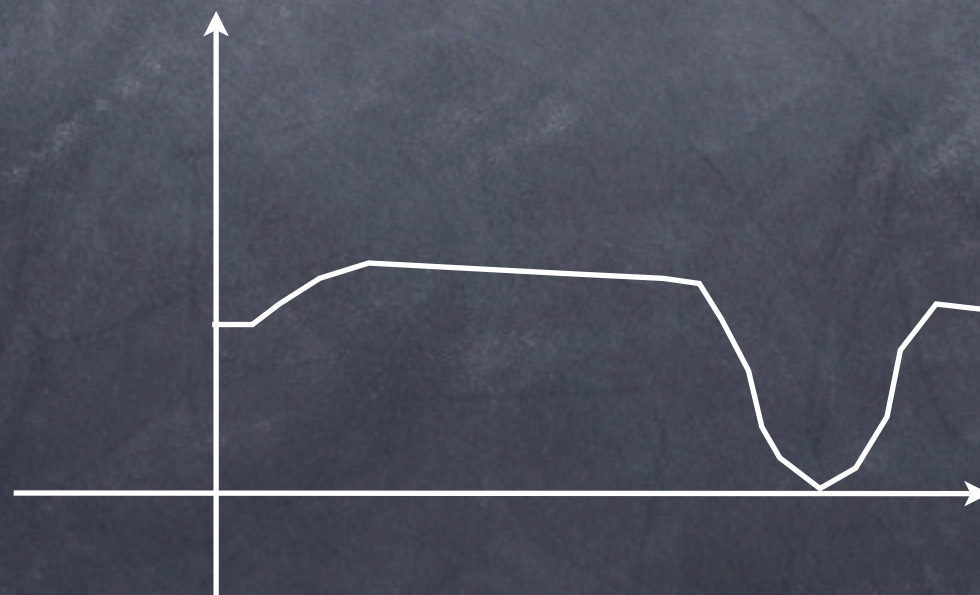
Dynamical SUSY Breaking

- Examples
 - $SO(10)$ with single 16
 - $SU(5)$ with $10+5^*$
 - $SU(3)\times SU(2)$ with Q, u, d, L and $W=QdL$
 - $SU(2)$ with 4 Q 's and 6 singlets $W=S_{ij}Q_iQ_j$
- SUSY is broken with $V\approx\Lambda^4$

breaking: generic?

- SUSY SU(N_c) QCD $N_c < N_f < 3N_c/2$ $W = m_Q^{ij} \bar{Q}_i Q_j$
- low-energy free magnetic theory ($m_Q < \Lambda$)

$$W = m_Q^{ij} \Lambda M_{ij} + M_{ij} \bar{q}^i q^j$$
- SUSY breaking @ $M_{ij} = 0$, $\frac{\partial W}{\partial M_{ij}} = m_Q^{ij} \neq 0$
- Local minimum with long lifetime



Cosmological constant?

- Once SUSY is broken, there is a large vacuum energy $V \approx \Lambda^4$
- supergravity allows fine-tuning of the cosmological constant
- massless goldstino eaten by gravitino
- Global SUSY: $V = \sum_i |\partial_i W|^2 \approx \Lambda^4$
- supergravity: $V = e^K (|D_i W|^2 - 3|W|^2/M_{Pl}^2)$
- can choose a constant term in the superpotential to cancel the vacuum energy
- gravitino mass $m_{3/2} = e^{K/2} |W| \approx \Lambda^2/M_{Pl}$



on a slide

- start with conformal supergravity ($g_{\mu\nu}$, ψ^μ , b_μ , A_μ)

- remove unwanted components by integrating out Weyl compensator chiral superfield S

$$\int d^4\theta S\bar{S}(-3M_{Pl}^2 + \phi^*\phi + \dots) + \int d^2\theta (S^3 W + f(\phi)W_\alpha W^\alpha)$$

- Weyl scale $S \rightarrow S/W^{1/3}$ $\int d^4\theta S\bar{S} \frac{-e^{-K/3}}{|W|^{2/3}} + \int d^2\theta (S^3 + f(\phi)W_\alpha W^\alpha)$

- depends only on $G = K + \ln|W|^2$ $K = -\frac{1}{3}\ln(3M_{Pl}^2 - \phi^*\phi - \dots)$

$$V = e^G (G_i (G^i_j)^{-1} G^j - 3) = e^K (F_i^* (K^i_j)^{-1} F^j - 3|W|^2)$$

$$F_i = W_i + K_i W$$

- $\langle S \rangle = 1 + \theta^2 \langle W \rangle$, $m_{3/2} = e^{K/2} |W|$

Phenomenological requirements on ~~SUSY~~



Soft SUSY breaking terms in the MSSM

- For each term in the superpotential

$$W_{MSSM} = Y_u^{ij} Q_i u_j^c H_u + Y_d^{ij} Q_i d_j^c H_d + Y_l^{ij} L_i e_j^c H_d + \mu H_u H_d$$

- we can have the "A-terms" and "B-term"

$$A_u^{ij} Y_u^{ij} Q_i u_j^c H_u + A_d^{ij} Y_d^{ij} Q_i d_j^c H_d + A_l^{ij} Y_l^{ij} L_i e_j^c H_d + B \mu H_u H_d$$

- scalar masses for all scalars

$$m_{Qij}^2 \tilde{Q}_i^* \tilde{Q}_j + m_{u ij}^2 \tilde{u}_i^* \tilde{u}_j + m_{d ij}^2 \tilde{d}_i^* \tilde{d}_j + m_{L ij}^2 \tilde{L}_i^* \tilde{L}_j + m_{e ij}^2 \tilde{e}_i^* \tilde{e}_j + m_{H_d}^2 |H_d|^2 + m_{H_u}^2 |H_u|^2$$

- gaugino mass for all three gauge factors

$$M_1 \tilde{B} \tilde{B} + M_2 \tilde{W}^a \tilde{W}^a + M_3 \tilde{g}^a \tilde{g}^a$$

- $A(18 \times 3) + B(2) + m(9 \times 5 + 2) + M(2 \times 3) + \mu(2) = 111$

$U(1)_R \times U(1)_{PQ}$ removes only two phases

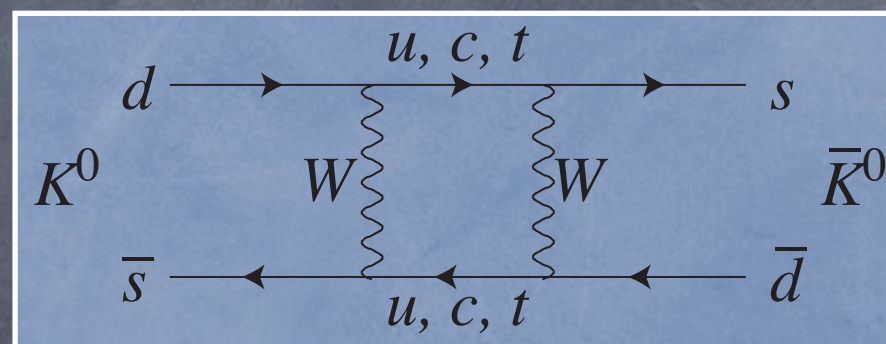
cf. SM has two params in the Higgs sector

107 more parameters than the SM!

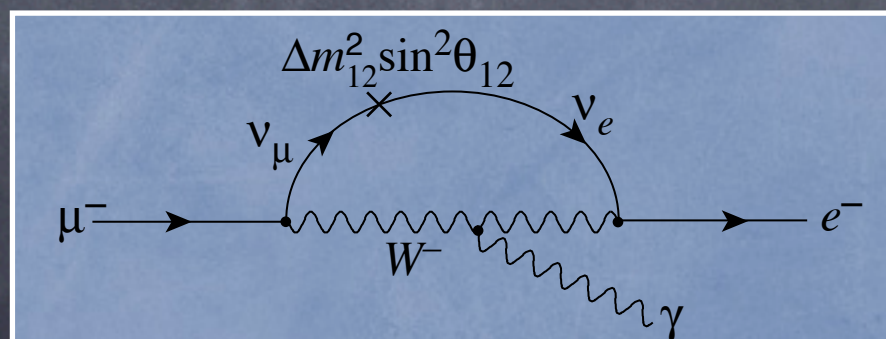
Flavor-Changing Neutral Current

- There is no tree-level vertex such as $\bar{s}\gamma^\mu d Z_\mu$
- In the Standard Model, FCNC is highly suppressed

e.g.,



$$\sim \frac{1}{16\pi^2} G_F^2 m_c^2 (V_{cd}^* V_{cs})^2$$



$$\sim \frac{e}{16\pi^2} G_F^2 m_\mu \Delta m_{12}^2 \sin^2 \theta_{12}$$

SUSY flavor violation

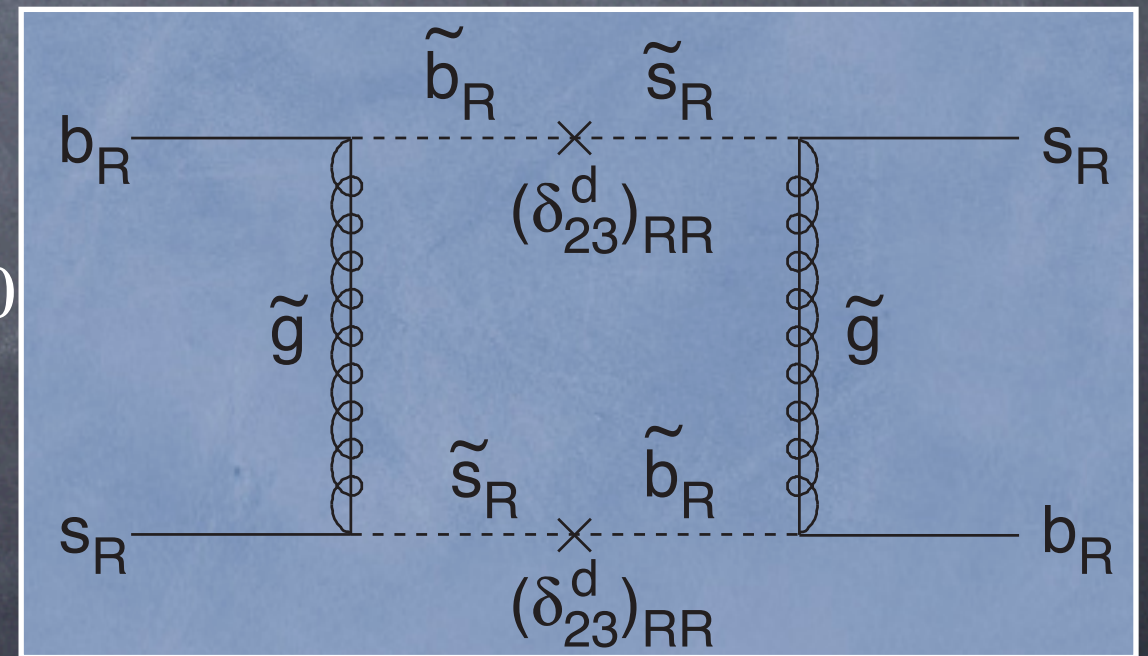
- soft SUSY breaking parameters can violate flavor

$$(\tilde{d}, \tilde{s}, \tilde{b}) \begin{pmatrix} m_{11}^2 & m_{12}^2 & m_{13}^2 \\ m_{21}^2 & m_{22}^2 & m_{23}^2 \\ m_{31}^2 & m_{32}^2 & m_{33}^2 \end{pmatrix} \begin{pmatrix} \tilde{d} \\ \tilde{s} \\ \tilde{b} \end{pmatrix}$$

$$(\delta_{12}^d)_{RR} \equiv \frac{m_{12}^2}{m_{11}m_{22}} < 0.04 \frac{m_{SUSY}}{500\text{GeV}}$$

$$\sqrt{(\delta_{12}^d)_{RR}(\delta_{12}^d)_{LL}} < 0.001 \frac{m_{SUSY}}{500\text{GeV}}$$

K^0



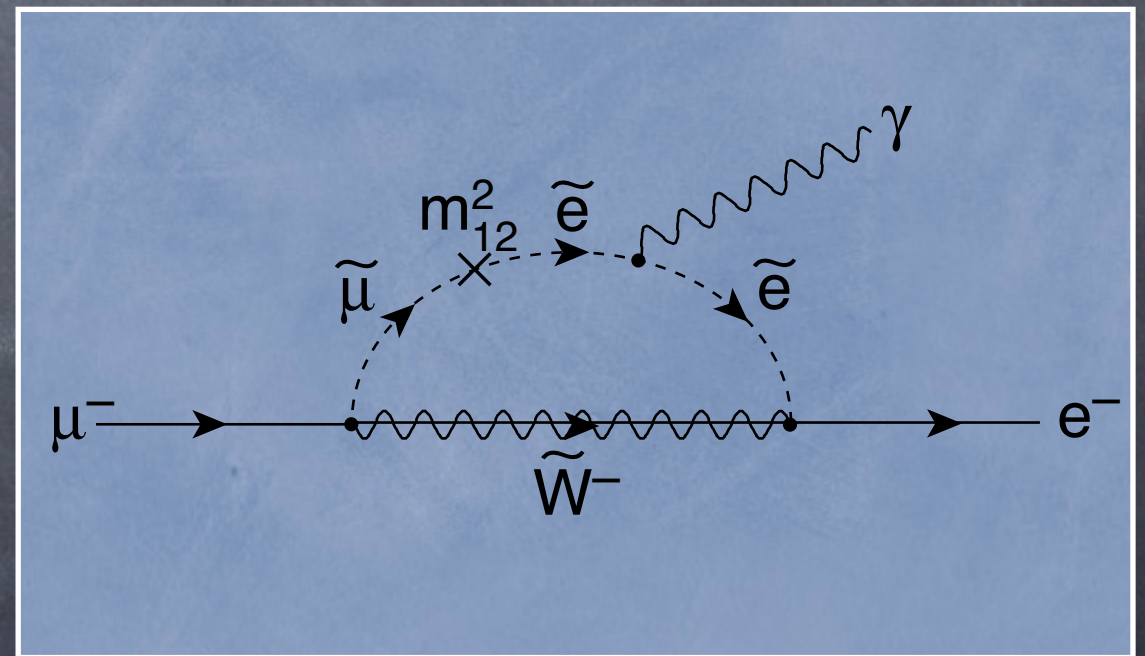
K^0

SUSY flavor violation

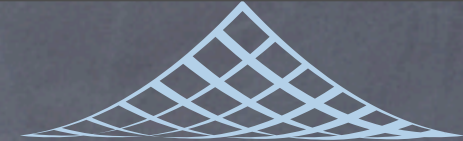
- soft SUSY breaking parameters can violate flavor

$$(\tilde{e}, \tilde{\mu}, \tilde{\tau}) \begin{pmatrix} m_{11}^2 & m_{12}^2 & m_{13}^2 \\ m_{21}^2 & m_{22}^2 & m_{23}^2 \\ m_{31}^2 & m_{32}^2 & m_{33}^2 \end{pmatrix} \begin{pmatrix} \tilde{e} \\ \tilde{\mu} \\ \tilde{\tau} \end{pmatrix}$$

$$(\delta_{12}^l)_{RR} < 3.9 \times 10^{-3}$$



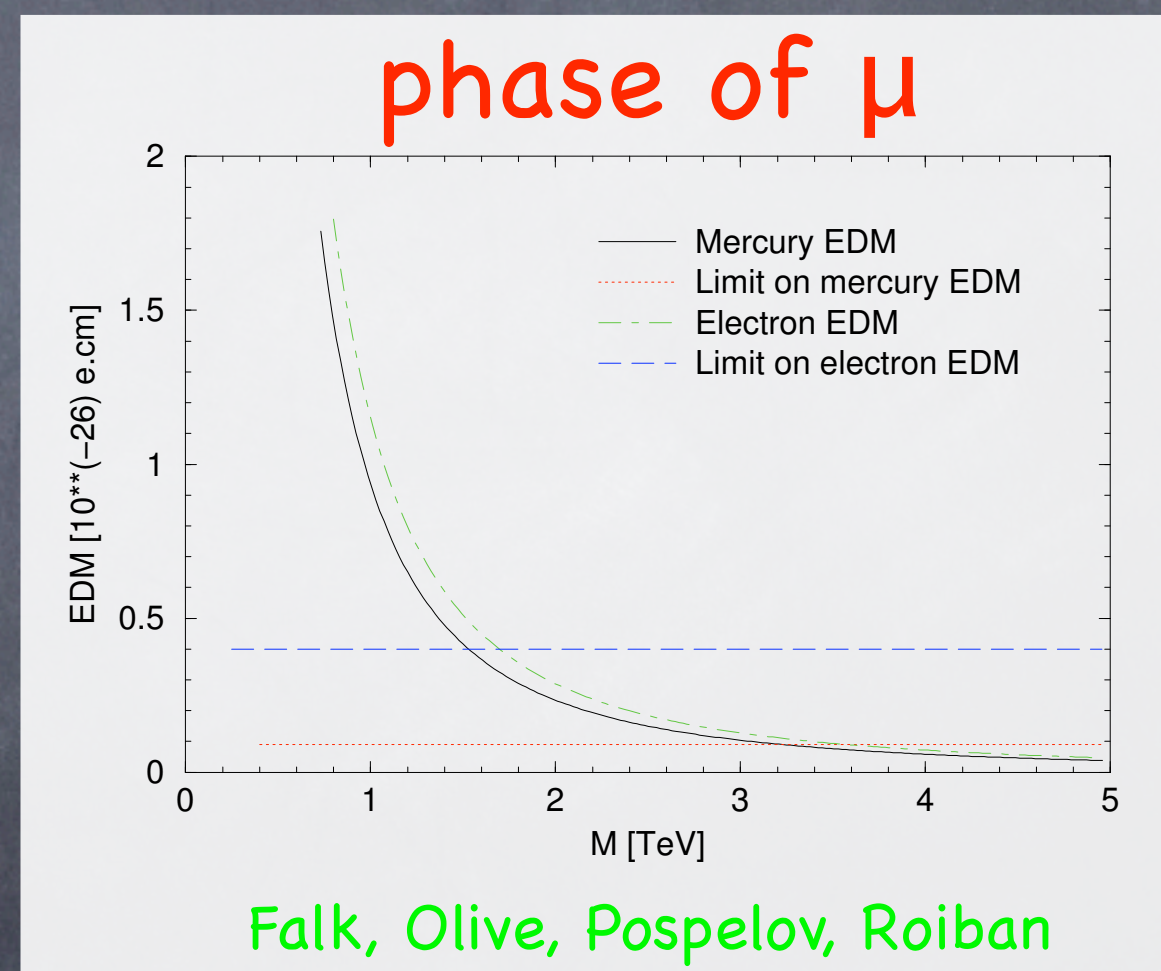
Supersymmetric CP problem



- The relative phases of μ and $M_{1,2,3}$ are physical
- induces electric dipole moments $H \propto \vec{S} \cdot \vec{E}$
- stringent limits on electron, neutron, and Hg atom
- either $m_{\text{SUSY}} > \text{TeV}$ or $\text{phase} \sim 10^{-2}$

Supersymmetric CP problem

- The relative phases of μ and $M_{1,2,3}$ are physical
- induces electric dipole moments $H \propto \vec{S} \cdot \vec{E}$
- stringent limits on electron, neutron, and Hg atom
- either $m_{\text{SUSY}} > \text{TeV}$ or $\text{phase} \sim 10^{-2}$





Common simplifying assumptions

- soft SUSY breaking parameters all real
- “flavor-blind”, namely, 3x3 scalar mass-squared matrices: $m_f^2 \propto I$
- gaugino masses unify: $M_1=M_2=M_3$ at M_{GUT}

Minimal SUGRA

(Hall, Lykken, Weinberg)

- Often, this problem is “solved” by assuming a very special Lagrangian called “minimal supergravity” $\int d^4\theta (-3M_{Pl}^2) \exp \left(\frac{-1}{3M_{Pl}^2} (\phi_i^* \phi^i + z_i^* z^i) \right)$
- Gives **universal scalar mass: flavor-blind**
- No theoretical justification for this very particular choice
- Just a convenient choice to obtain the minimal kinetic term with no Planck-suppressed corrections
- Not stable under renormalization

"minimal supergravity"

- At the GUT-scale 2×10^{16} GeV
- assume all scalar masses are equal m_0^2
- assume all gaugino masses are equal $M_{1/2}$
- assume all trilinear couplings are equal A_0
- in addition, $B, B\mu$
- calculate all SUSY breaking terms via RGE down from the GUT-scale
- fix m_z : leaves four parameters (and $\text{sign}(\mu)$)

one-loop RGE

- GUT prediction of gaugino masses

$$\frac{d M_i}{d t g_i^2} = 0$$

$$M_1 : M_2 : M_3 \approx 1 : 2 : 7 \text{ at } m_Z$$

- gauge interaction boosts scalar masses

$$\frac{d}{d t} m^2 = -\frac{1}{16\pi^2} 8C_F g^2 M^2$$

- Yukawa interaction suppresses scalar masses

$$16\pi^2 \frac{d}{d t} m_{H_u}^2 = 3X_t - 6g_2^2 M_2^2 - \frac{6}{5} g_1^2 M_1^2$$

$$16\pi^2 \frac{d}{d t} m_{\tilde{t}_R}^2 = 2X_t - \frac{32}{3} g_3^2 M_3^2 - \frac{32}{15} g_1^2 M_1^2$$

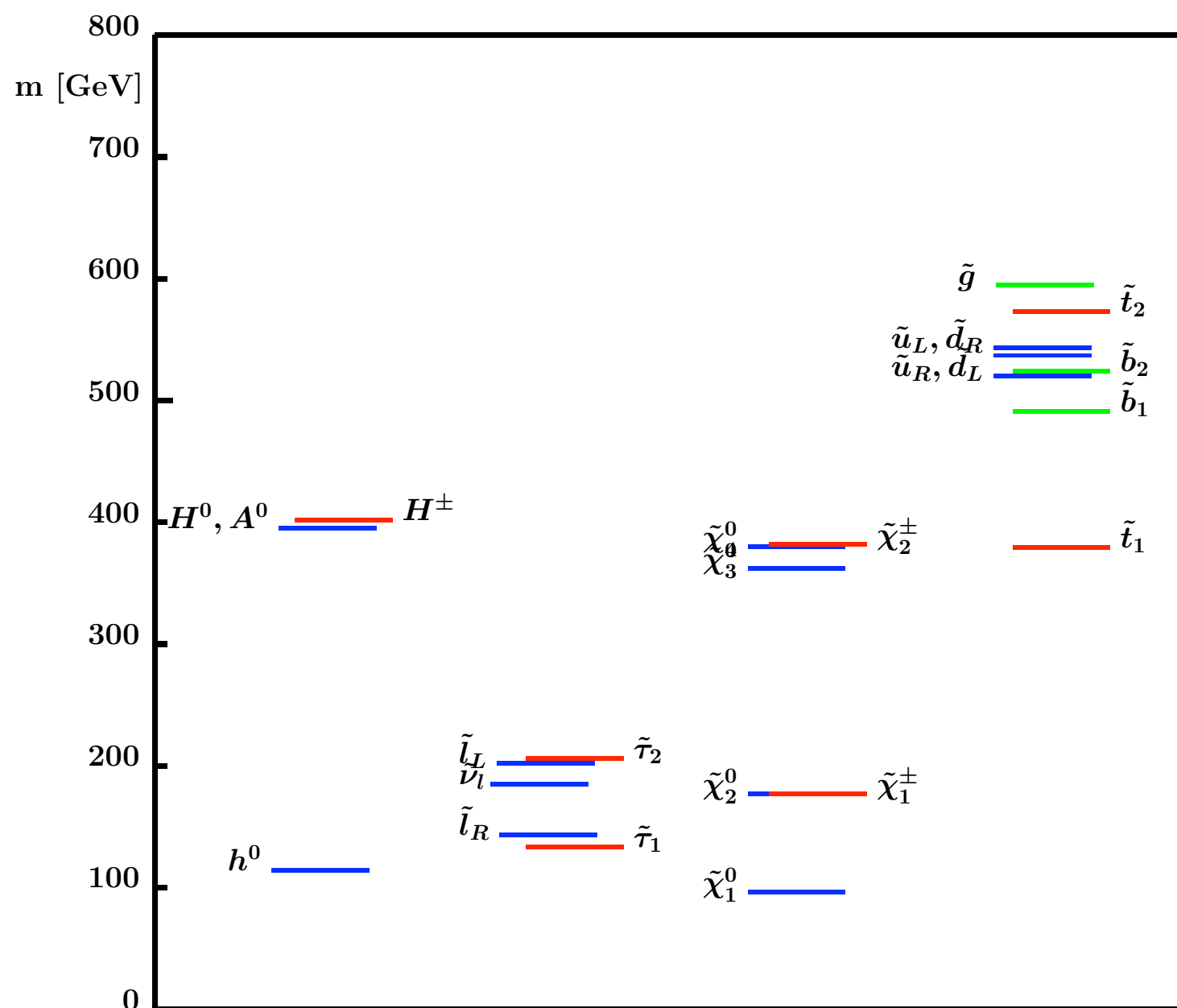
$$16\pi^2 \frac{d}{d t} m_{\tilde{t}_L}^2 = X_t - \frac{32}{3} g_3^2 M_3^2 - 6g_2^2 M_2^2 - \frac{2}{15} g_1^2 M_1^2$$

$$X_t = 2Y_t^2 (m_{H_u}^2 + m_{\tilde{t}_R}^2 + m_{\tilde{t}_L}^2 + A_t^2)$$

- H_u mass-squared most likely to get negative!

sample spectrum

$$m_0 = 100, m_{1/2} = 250, A_0 = -100, \tan\beta = 10, \mu > 0$$

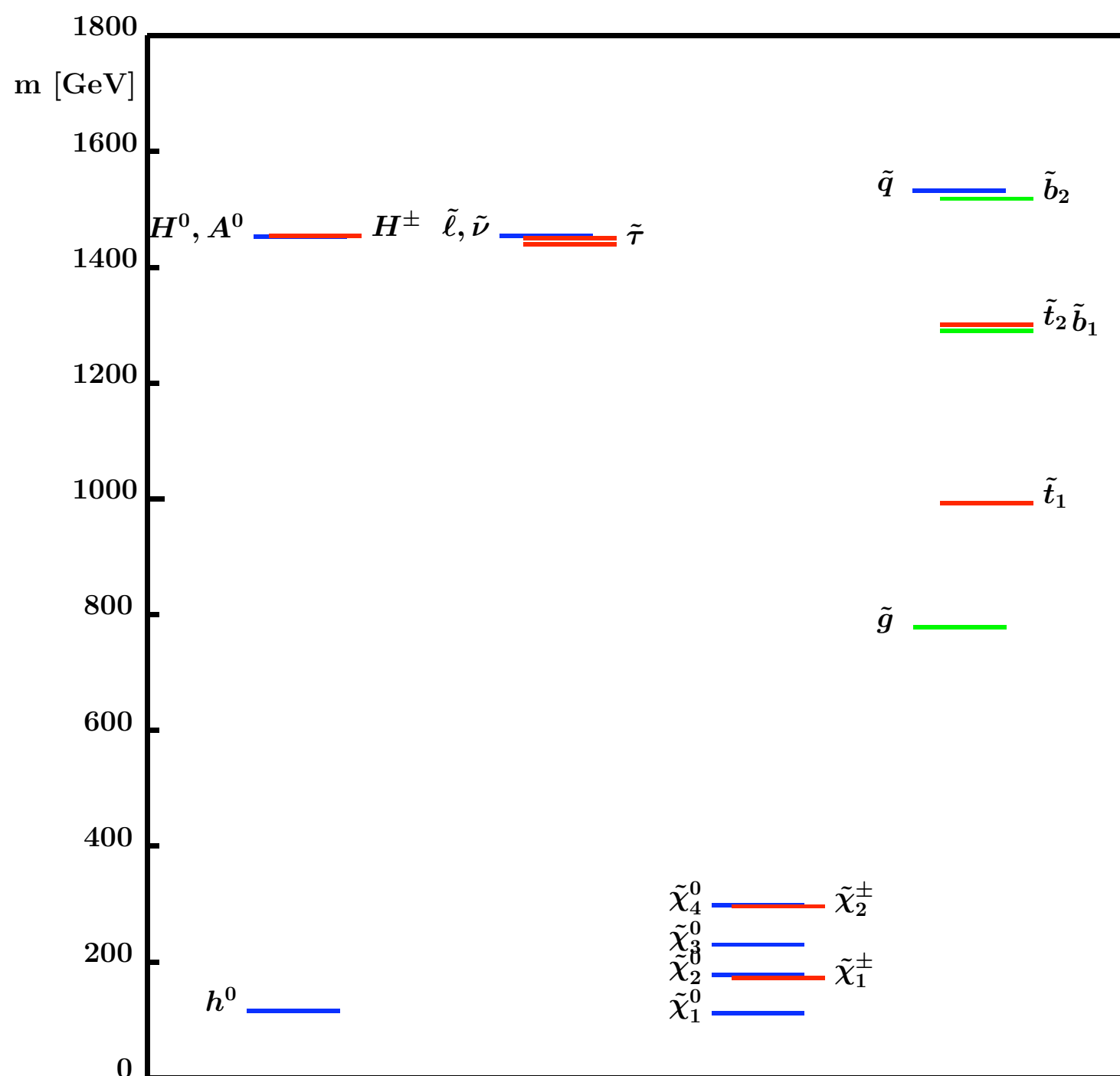


bulk
region

SPS1a

sample spectrum

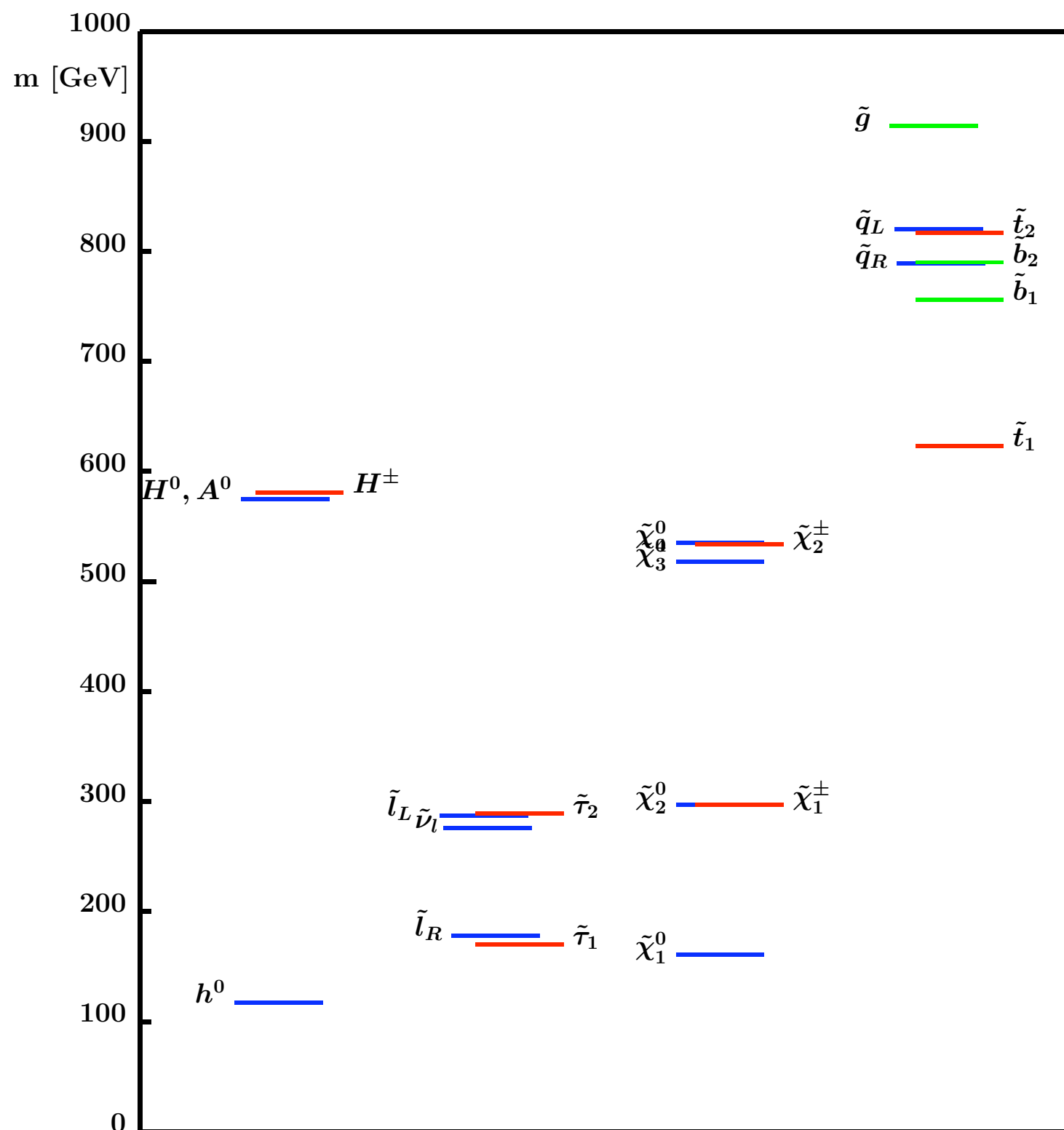
$$m_0 = 1450, m_{1/2} = 300, A_0 = 0, \tan\beta = 10, \mu > 0$$



focus
point
region

SPS2

$$m_0 = 90, m_{1/2} = 400, A_0 = 0, \tan\beta = 10, \mu > 0$$



coanni-
hilation
region

SPS3

"Gravity" Mediation

- People argued that the mediation of SUSY breaking by gravity is universal because the gravity couples universally
- But it is easy to see this is a big lie
- The minute you talk about gravity, we have a theory cutoff at the Planck-scale, and we can write arbitrary operators suppressed by the Planck scale w/o the knowledge of the fully consistent theory of quantum gravity

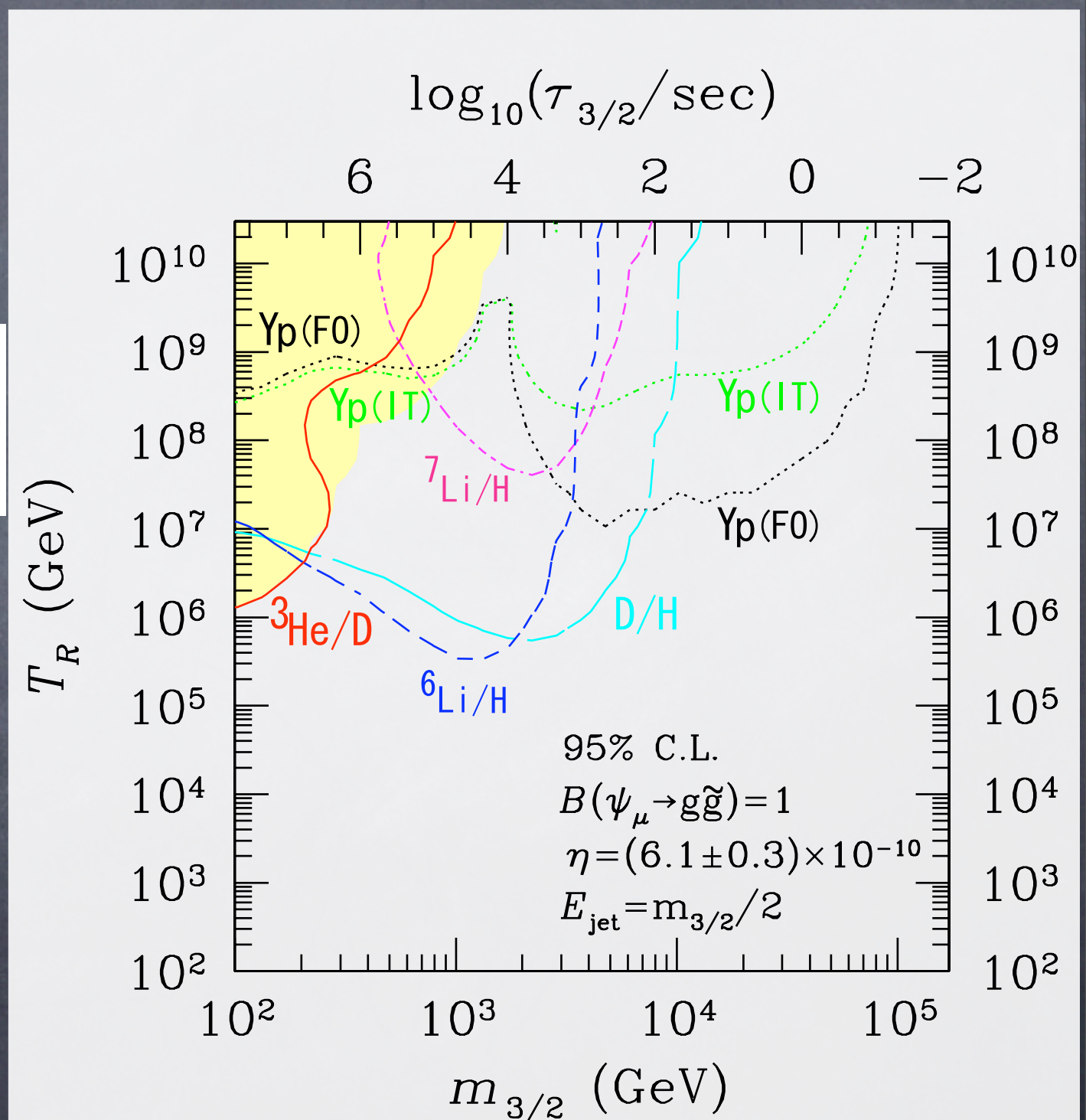
$$\int d^4\theta \lambda_{ij} \frac{z^* z}{M_{Pl}^2} \phi_i^* \phi_j \rightarrow m_{ij}^2 = \lambda_{ij} \left| \frac{F_z}{M_{Pl}} \right|^2 \quad \int d^2\theta \lambda_i \frac{z}{M_{Pl}} W_\alpha^i W^{\alpha i} \rightarrow M_i = \lambda_i \frac{F_z}{M_{Pl}}$$

Gravitino Problem

- Gravitinos produced in early universe

$$\frac{n_{3/2}}{s} = 1.5 \times 10^{-12} \frac{T_{RH}}{10^{10} \text{ GeV}}$$

- If decays after the BBN, dissociates synthesized light elements
- Hadronic decays particularly bad (Kawasaki, Kohri, Moroi)

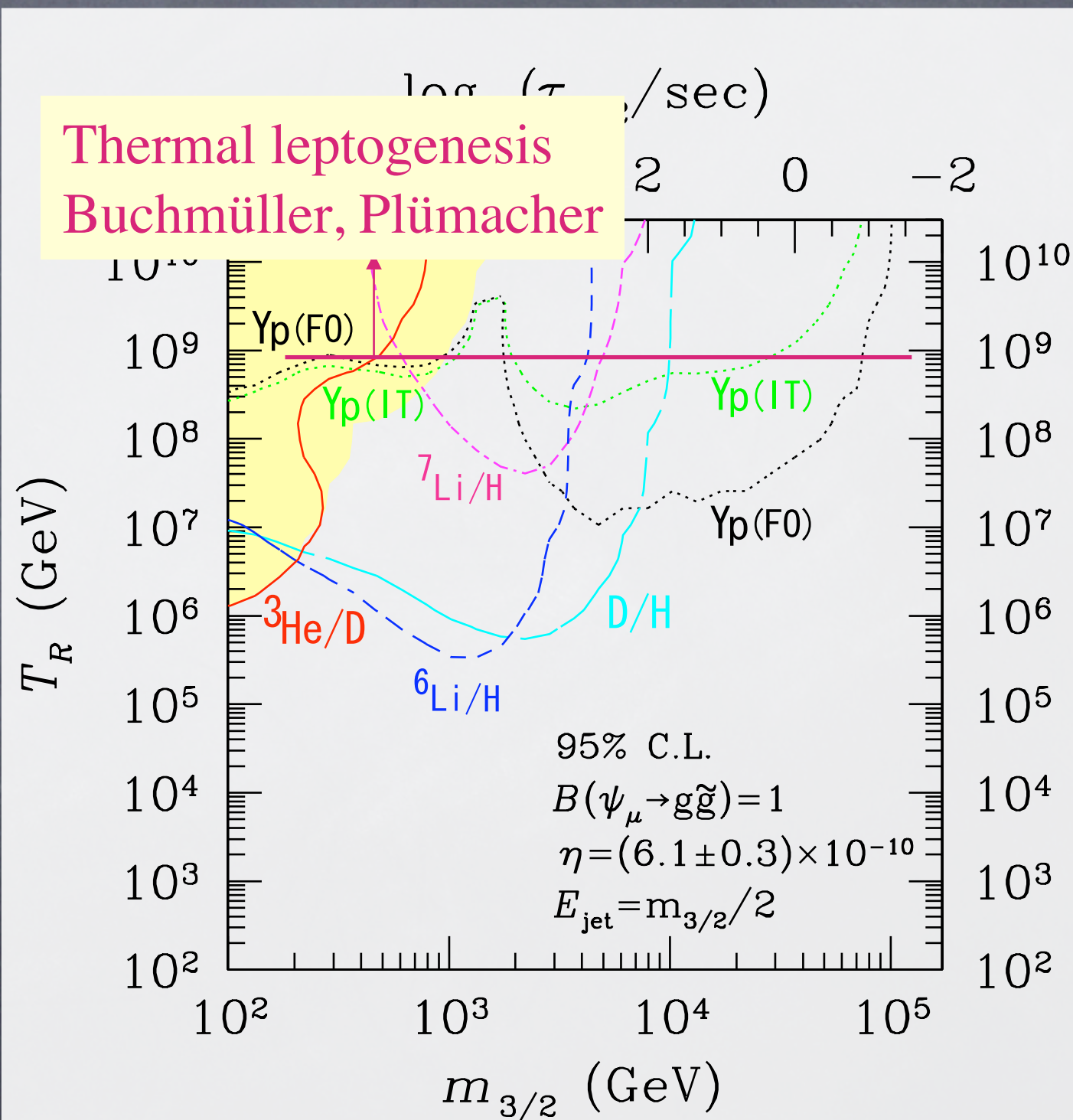


Gravitino Problem

- Gravitinos produced in early universe

$$\frac{n_{3/2}}{s} = 1.5 \times 10^{-12} \frac{T_{RH}}{10^{10} \text{ GeV}}$$

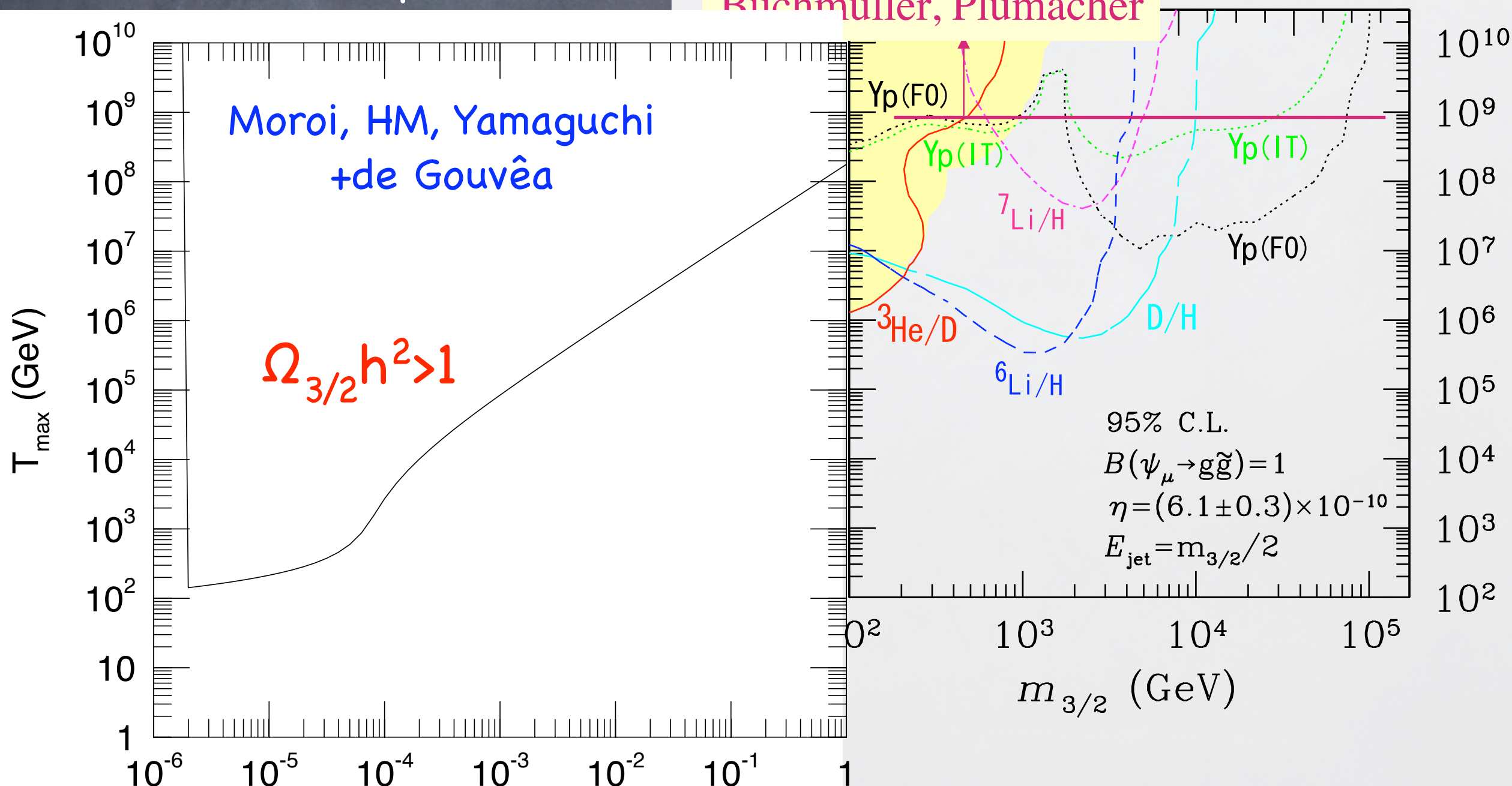
- If decays after the BBN, dissociates synthesized light elements
- Hadronic decays particularly bad (Kawasaki, Kohri, Moroi)



Gravitino Problem

Gravitinos produced in

Thermal leptogenesis
Buchmüller, Plümacher



Moduli problem

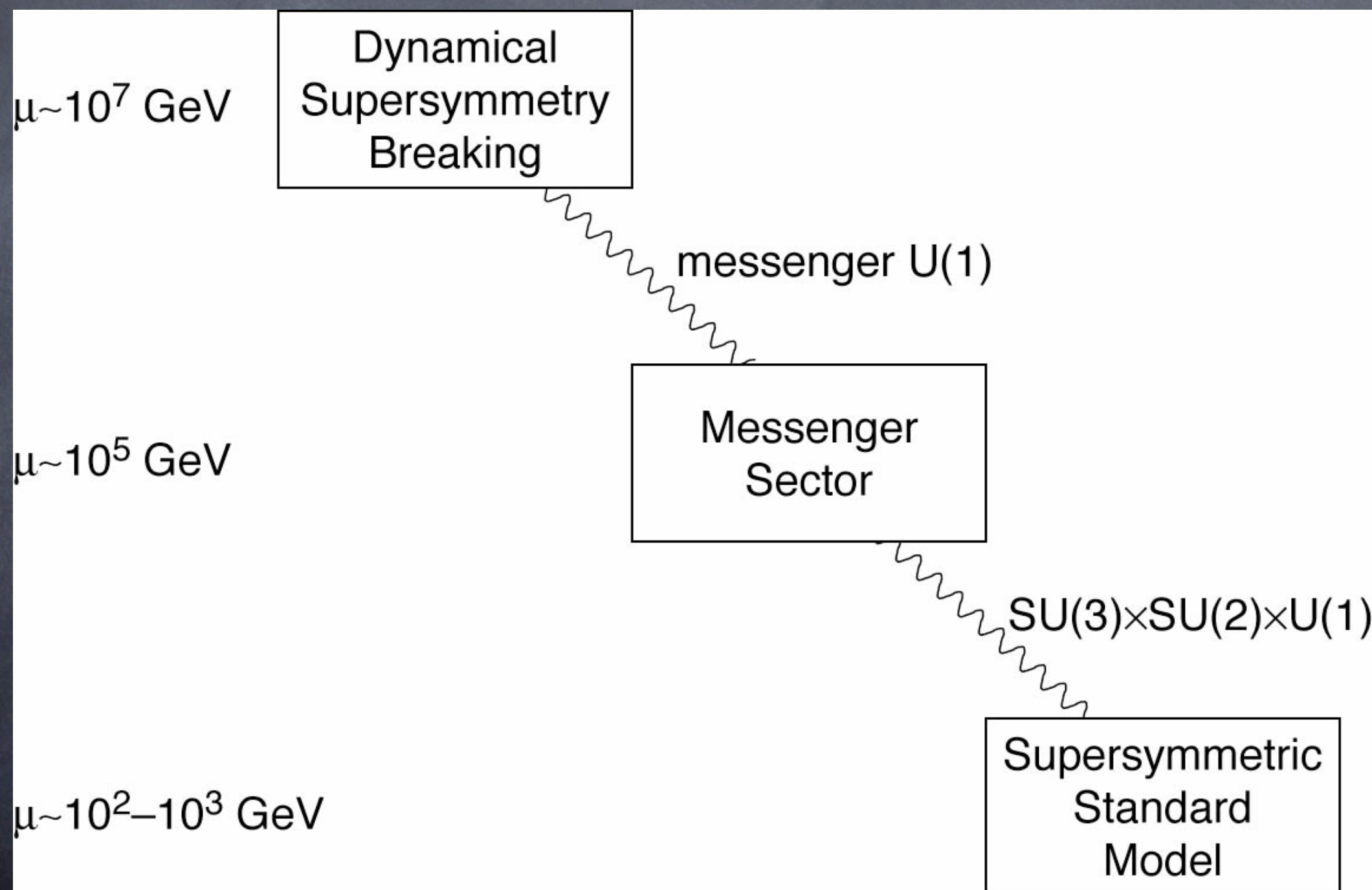
- In string theory, we need to compactify 6 (or 7) extra dimensions into a small size
- moduli fields parameterize the size and shape of the compactified space (\Rightarrow flux)
- they do not have any potential in the supersymmetric limit
- their mass is $O(m_{3/2})$, very flat potential
- in early universe, they had $O(M_{Pl})$ amplitudes
- oscillate around the minimum, dominate
- when it decays, dilutes entropy by $\sim m_{3/2}/M_{Pl}$
- If $m_{3/2} \sim \text{TeV}$, baryon asymmetry diluted by 10^{-15} !

Issue of mediation

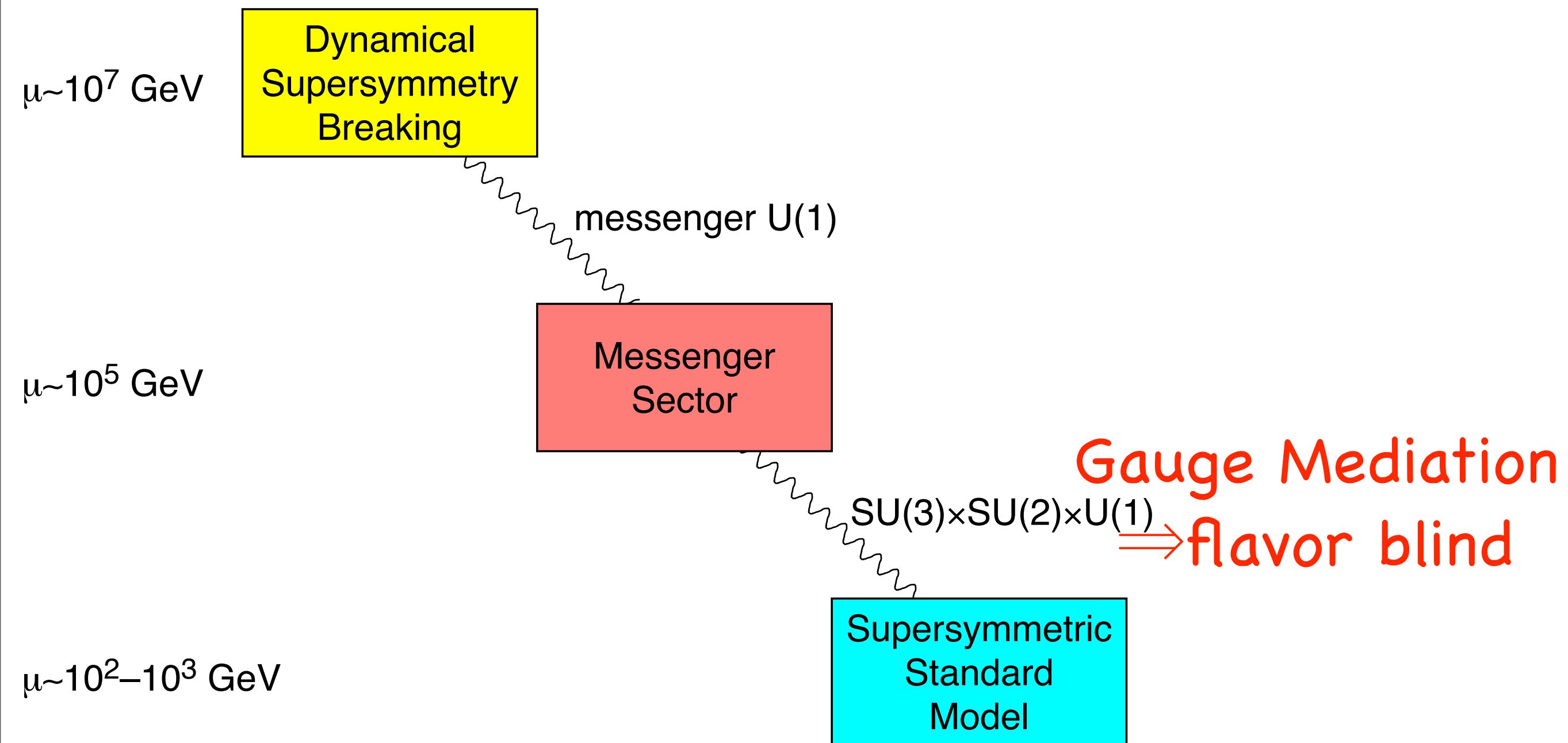
- Many gauge theories that break SUSY dynamically known
- The main issue: how do we communicate the SUSY breaking effects to the MSSM?
“mediation”
- If the mediation mechanism is *flavor-blind*, there is no problem with FCNC
 - Gauge mediation (direct & indirect)
 - Gaugino mediation
 - Anomaly mediation

Flavor-blind Mediation Mechanisms

Gauge Mediation (GMSB)

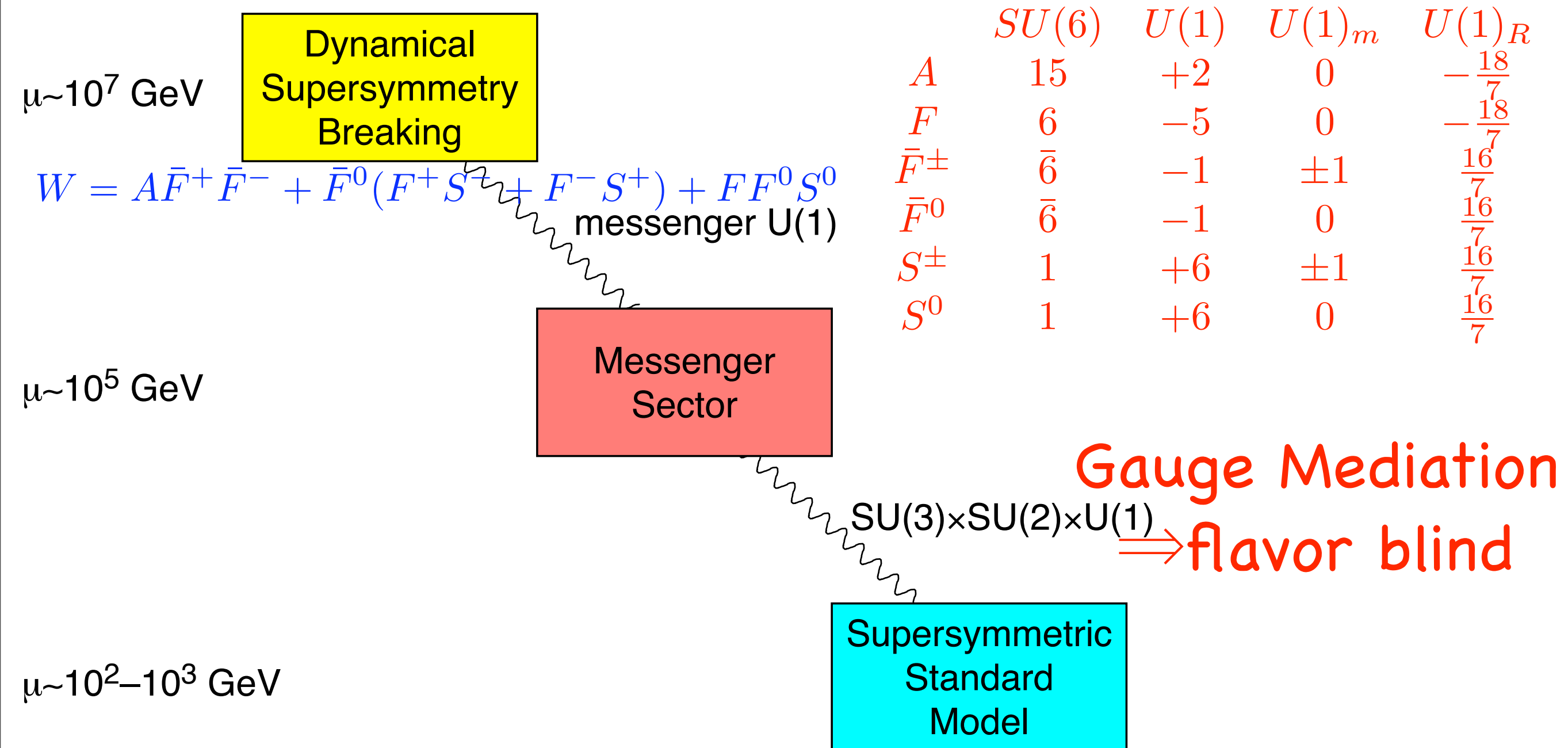


A Concrete Model



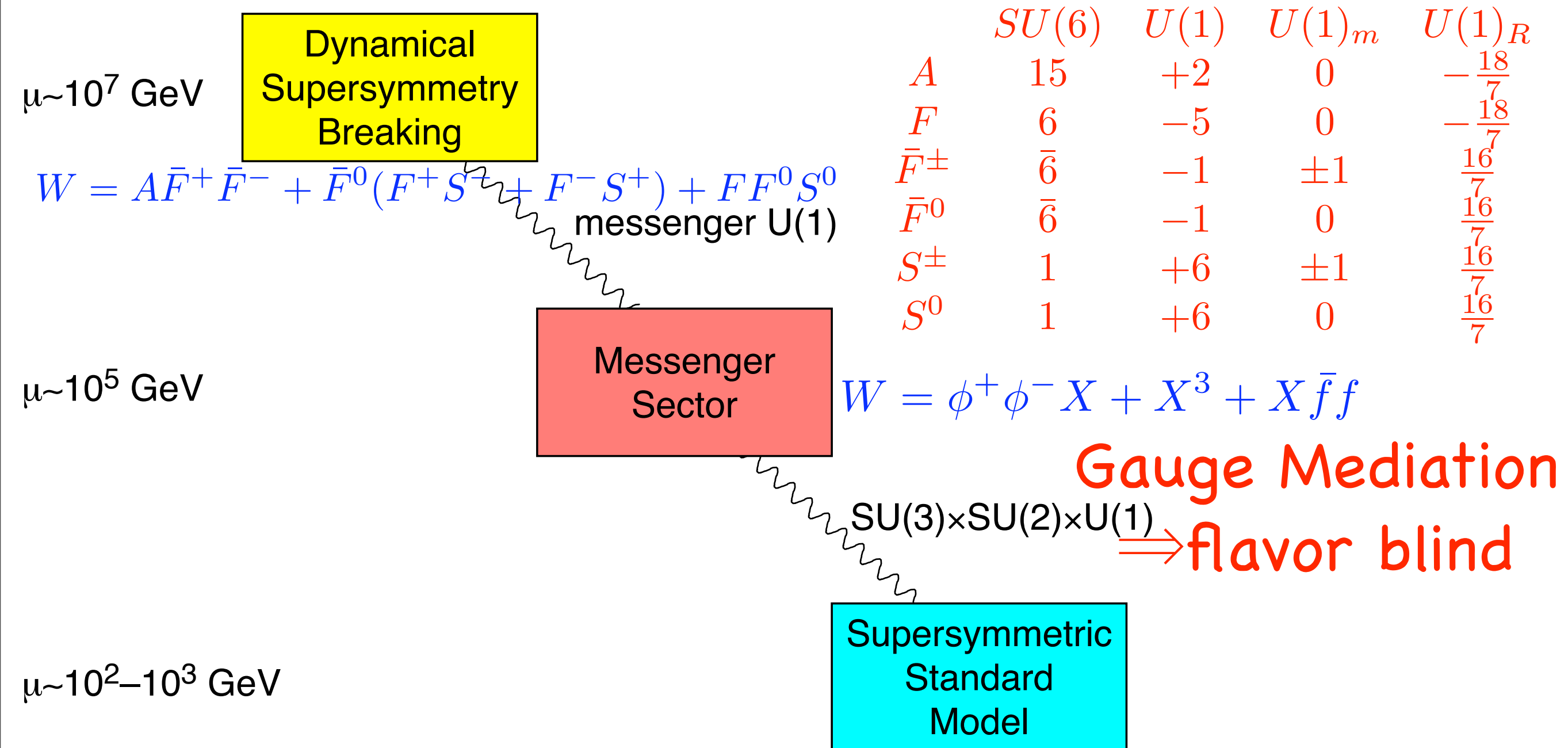
Dine-Nelson-Nir-Shirman

A Concrete Model



Dine-Nelson-Nir-Shirman

A Concrete Model



Dine-Nelson-Nir-Shirman

Likelihood of viable SUSY

Landscape of theories



Likelihood of viable SUSY

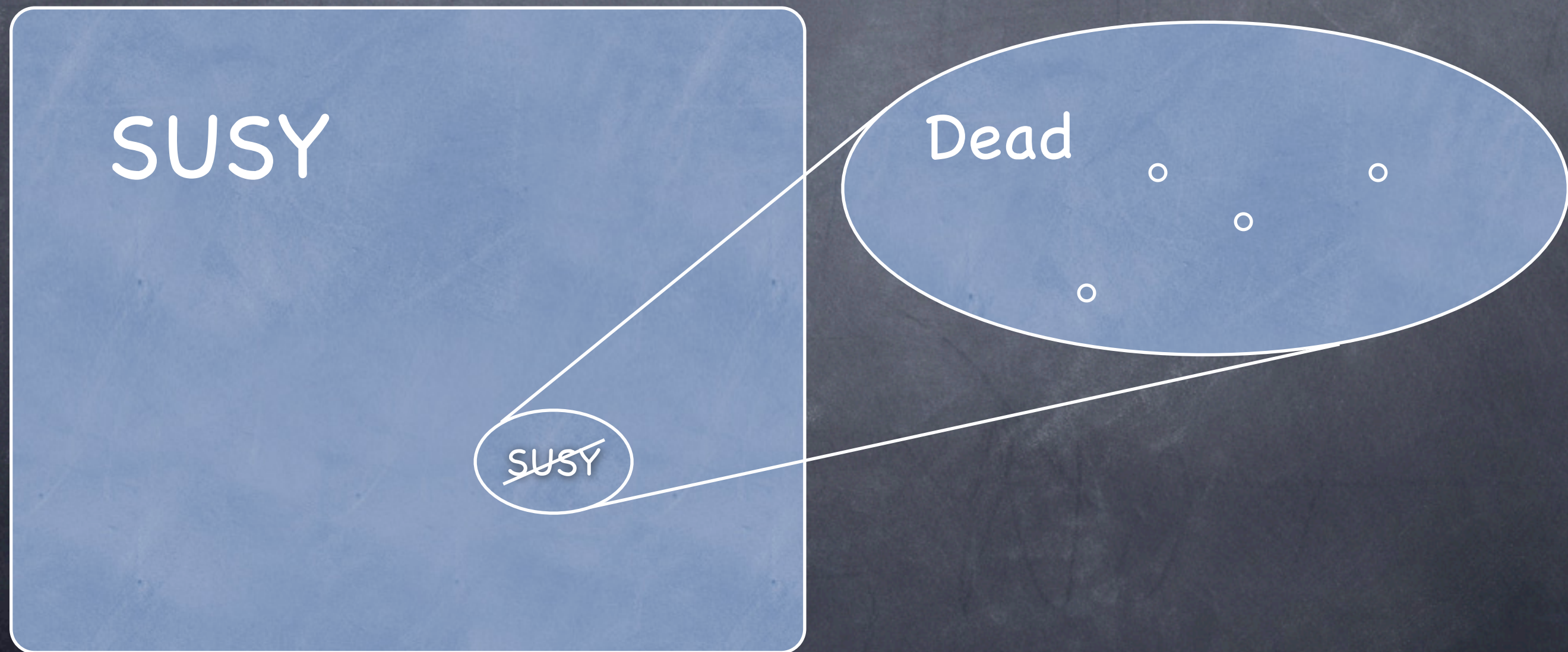
Landscape of theories

SUSY



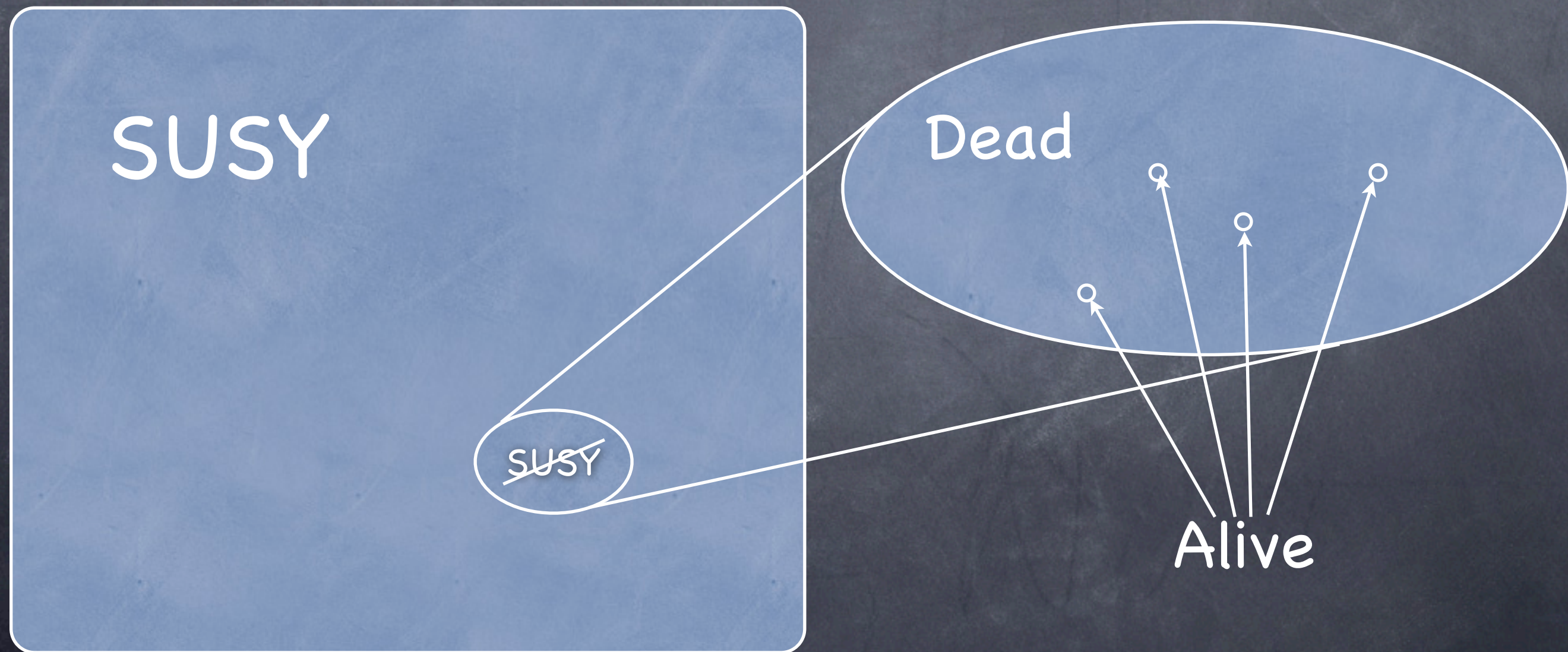
Likelihood of viable SUSY

Landscape of theories



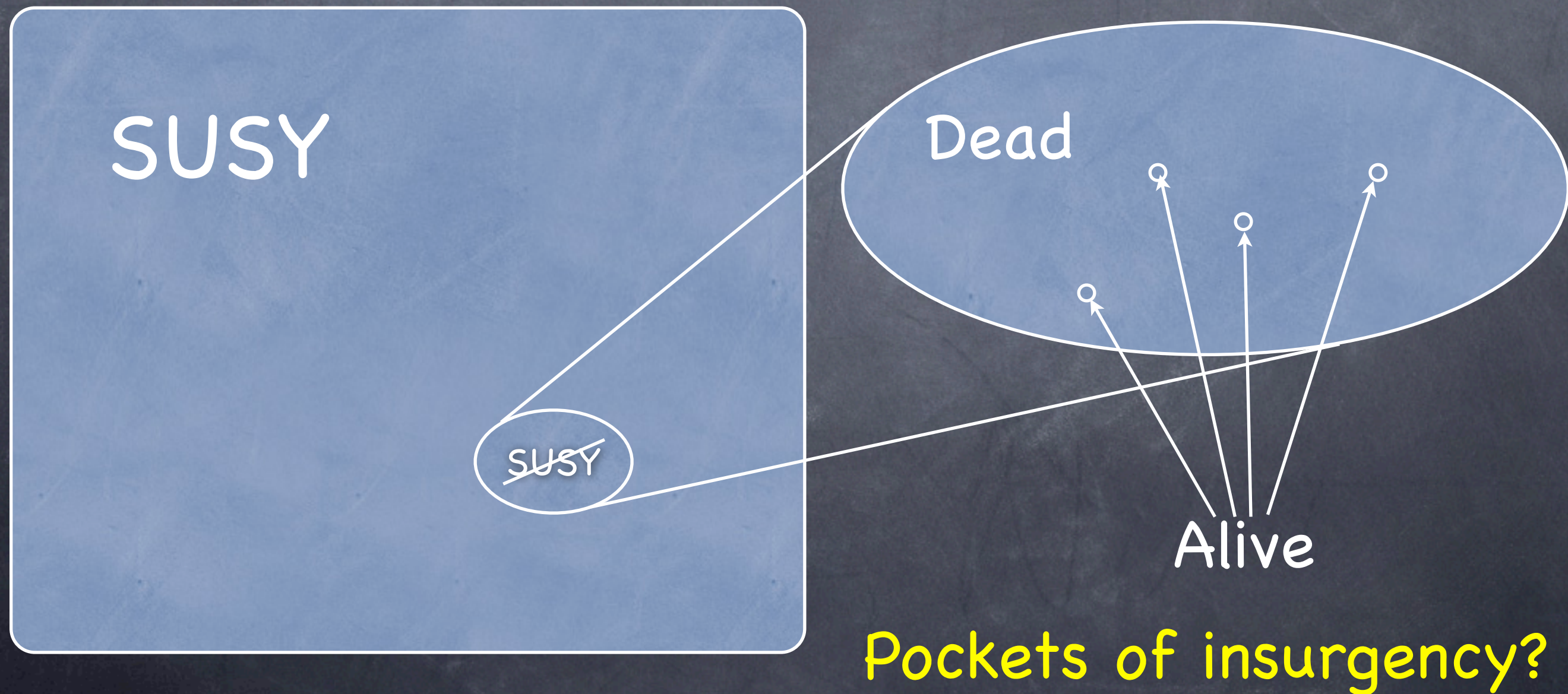
Likelihood of viable SUSY

Landscape of theories



Likelihood of viable SUSY

Landscape of theories



Simple Generic Scheme

(HM Nomura)

Simple Generic Scheme

(HM Nomura)

SUSY SM

Simple Generic Scheme

(HM Nomura)

$M \bar{f} f$

SUSY SM

Simple Generic Scheme

(HM Nomura)

SUSY QCD
SU(N_c), SO(N_c), Sp(N_c)

$M \bar{f} f$

SUSY SM

Simple Generic Scheme

(HM Nomura)

SUSY QCD
SU(Nc), SO(Nc), Sp(Nc)

$m_Q \bar{Q} Q$

$M \bar{f} f$

SUSY SM

Simple Generic Scheme

(HM Nomura)

$$\frac{1}{M_{Pl}} \bar{Q} Q \bar{f} f$$

SUSY QCD
SU(N_c), SO(N_c), Sp(N_c)

$$m_Q \bar{Q} Q$$

$$M \bar{f} f$$

SUSY SM

Simple Generic Scheme

(HM Nomura)

$$\frac{1}{M_{Pl}} \bar{Q} Q \bar{f} f$$

SUSY QCD
SU(N_c), SO(N_c), Sp(N_c)

$$m_Q \bar{Q} Q$$

$$M \bar{f} f$$

SUSY SM

no U(1)_R symmetry imposed

most general superpotential

wide choice of gauge groups, matter content

$$N_c < N_f < \frac{3}{2} N_c$$

Simple Generic Scheme

(HM Nomura)

$$\frac{1}{M_{Pl}} \bar{Q} Q \bar{f} f$$

SUSY QCD
SU(N_c), SO(N_c), Sp(N_c)

$$m_Q \bar{Q} Q$$

$$M \bar{f} f$$

SUSY SM

no U(1)_R symmetry imposed

most general superpotential

wide choice of gauge groups, matter content

$$N_c < N_f < \frac{3}{2} N_c$$

How it works

(Most technical slide)

- SUSY $SU(N_c)$ QCD $N_c < N_f < 3N_c/2$ $W = m_Q^{ij} \bar{Q}_i Q_j$

- low-energy free magnetic theory ($m_Q < \Lambda$)

$$W = m_Q^{ij} \Lambda M_{ij} + M_{ij} \bar{q}^i q^j$$

- SUSY breaking @ $M_{ij} = 0$, $\frac{\partial W}{\partial M_{ij}} = m_Q^{ij} \neq 0$

- Local minimum with long lifetime

$$W = \frac{1}{M_{Pl}} \bar{Q} Q \bar{f} f$$

- Generates SUSY breaking in f, \bar{f}

- their loops \Rightarrow gauge mediation



Likelihood of viable SUSY

Landscape of theories



Likelihood of viable SUSY

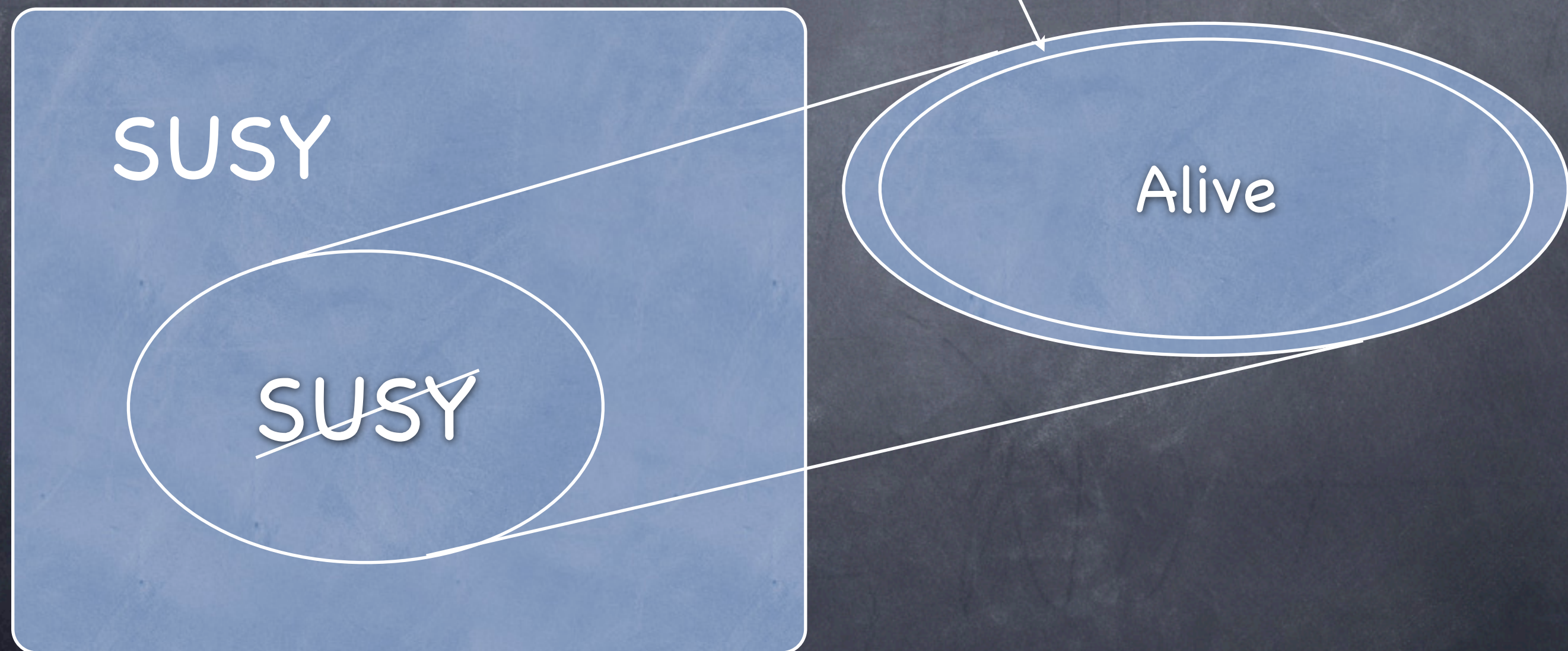
Landscape of theories

SUSY

~~SUSY~~

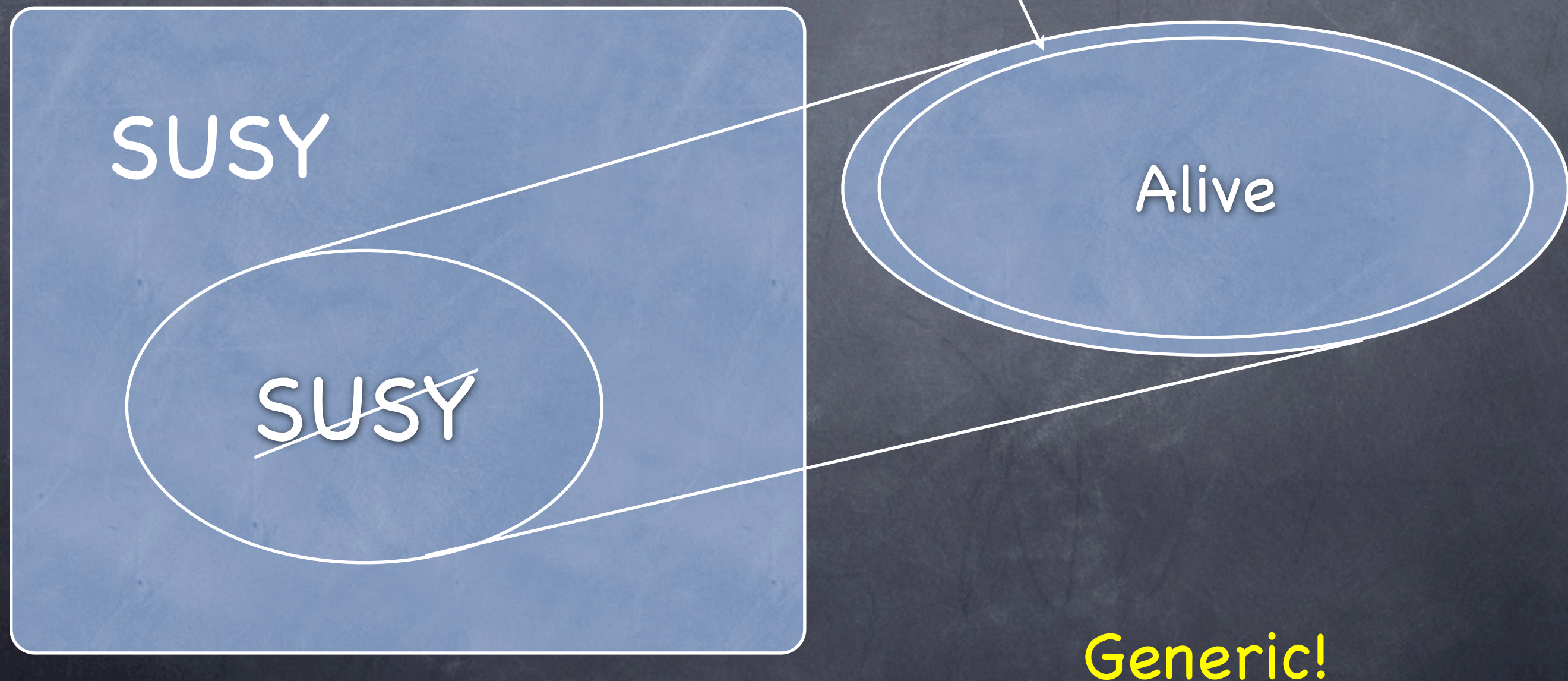
Likelihood of viable SUSY

Landscape of theories



Likelihood of viable SUSY

Landscape of theories



Gauge Mediation (GMSB)

- Integrate out “messenger fields” $W = S f \bar{f}$
 $N(5+5^*)$ (i.e, $d^c + L$) $\langle S \rangle = \langle A_S + \theta^2 F_S \rangle \neq 0$
- integrate them out: changes the running of gauge coupling, wave function renormalizations

Gauge Mediation (GMSB)

- Integrate out “messenger fields” $W = S f \bar{f}$
 $N(5+5^*)$ (i.e, $d^c + L$) $\langle S \rangle = \langle A_S + \theta^2 F_S \rangle \neq 0$
- integrate them out: changes the running of
gauge coupling, wave function
renormalizations

$$\frac{1}{g^2(\mu)} = \frac{1}{g_0^2} + \frac{b_0 + N}{8\pi^2} \ln \frac{\Lambda_{UV}}{S} + \frac{b_0}{8\pi^2} \ln \frac{S}{\mu}$$

$$\frac{M}{g^2} = \frac{1}{g^2(\mu)} \Big|_{\theta^2} = \frac{1}{8\pi^2} N \frac{F_S}{A_S}$$

Gauge Mediation (GMSB)

- Integrate out "messenger fields" $W = S f \bar{f}$
 $N(5+5^*)$ (i.e, d^c+L) $\langle S \rangle = \langle A_S + \theta^2 F_S \rangle \neq 0$
- integrate them out: changes the running of
gauge coupling, wave function
renormalizations

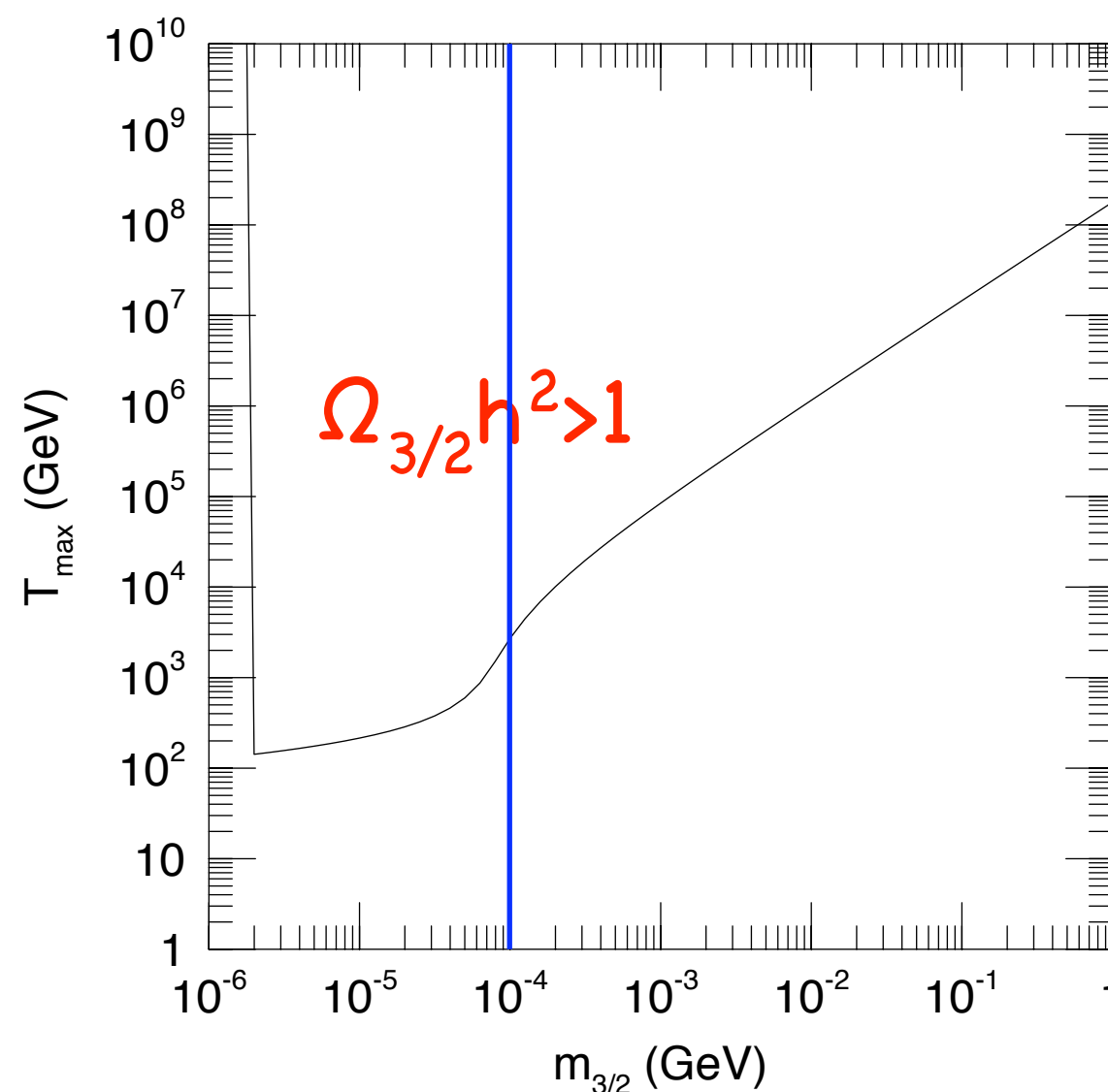
$$\frac{1}{g^2(\mu)} = \frac{1}{g_0^2} + \frac{b_0 + N}{8\pi^2} \ln \frac{\Lambda_{UV}}{S} + \frac{b_0}{8\pi^2} \ln \frac{S}{\mu}$$

$$\frac{M}{g^2} = \frac{1}{g^2(\mu)} \Big|_{\theta^2} = \frac{1}{8\pi^2} N \frac{F_S}{A_S} \quad Z_i(\mu) = Z_i(\Lambda_{UV}) \left(\frac{g^2(\Lambda_{UV})}{g^2(\sqrt{S^\dagger S})} \right)^{2C_F/b'} \left(\frac{g^2(\sqrt{S^\dagger S})}{g^2(\mu)} \right)^{2C_F/b}$$

$$m_i^2(\mu) = -\ln Z_i(\mu) \Big|_{\theta^2 \bar{\theta}^2} = 2C_F \frac{g^4}{(4\pi)^4} N \left(\frac{F_S}{A_S} \right)^2$$

Gauge Mediation

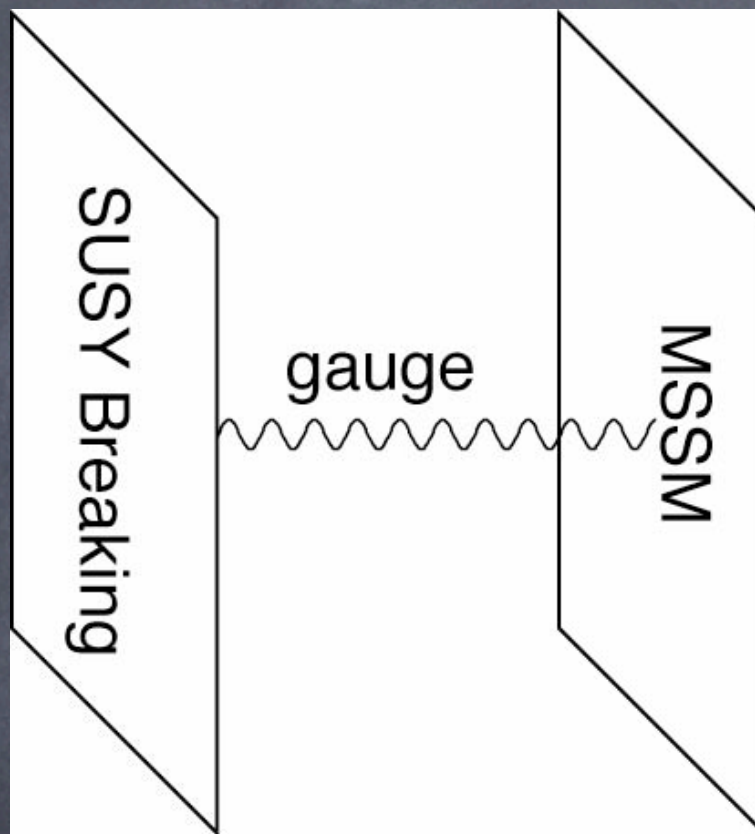
- Assuming that the messenger scale is higher than ANY flavor physics, no FCNC
- gravitino dark matter?
- there are models with $m_{3/2} < \text{keV}$
- Lyman α : $m_{3/2} < 16 \text{ eV}$?
- "LSP" (e.g., neutralino, stau) may decay inside detectors



de Gouvêa, Moroi, HM



Gaugino Mediation (χ MSB)

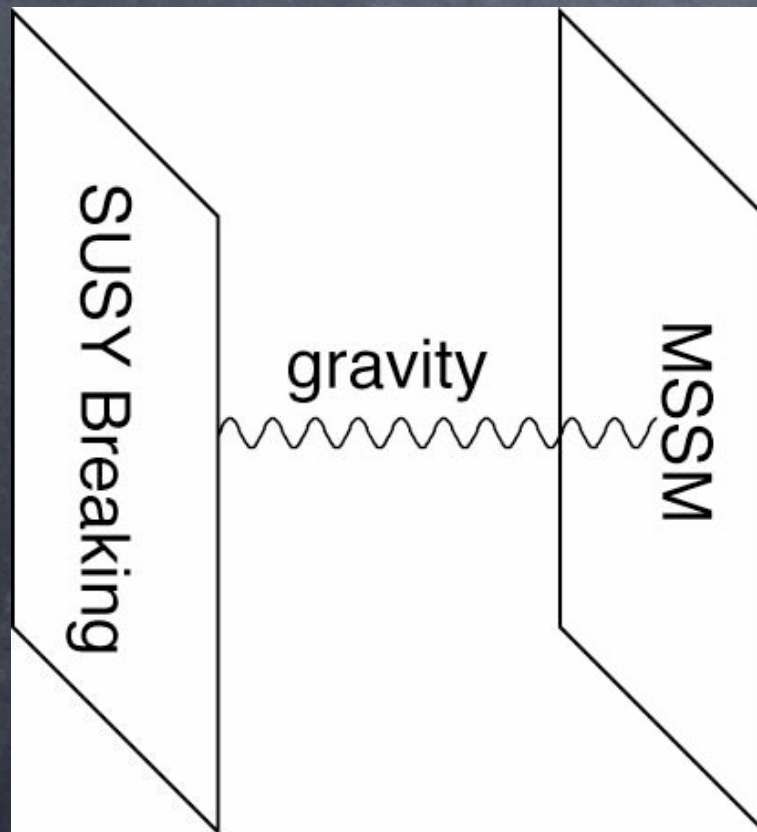


- DSB in another brane
- Gauge multiplet in the bulk
- Gauge multiplet learns SUSY breaking first, obtains gaugino mass
- MSSM at the compactification scale with gaugino mass only
- Scalar masses generated by RGE



Anomaly Mediation (AMSB)

- no direct coupling between two sectors
- Supersymmetry breaking in the chiral compensator
 $\langle S \rangle = 1 + \theta^2 m_{3/2}$



$$\int d^4\theta S \bar{S} \phi^* \phi + \int d^2\theta \left(S^3 \lambda_{ijk} \phi_i \phi_j \phi_k + \frac{1}{g^2} W_\alpha W^\alpha \right)$$

- can be scaled away $\phi \rightarrow \phi/S$
- but the UV cutoff acquires S : $\Lambda_{UV} \rightarrow \Lambda_{UV} S$
- SUSY breaking through cutoff dependence:
superconformal anomaly

(Randall, Sundrum; Giudice, Luty, HM, Rattazzi)

UV insensitivity

$$M_i = -\frac{\beta_i(g^2)}{2g_i^2}m_{3/2}, \quad m_i^2 = -\frac{\dot{\gamma}_i}{4}m_{3/2}^2, \quad A_{ijk} = -\frac{1}{2}(\gamma_i + \gamma_j + \gamma_k)m_{3/2}$$

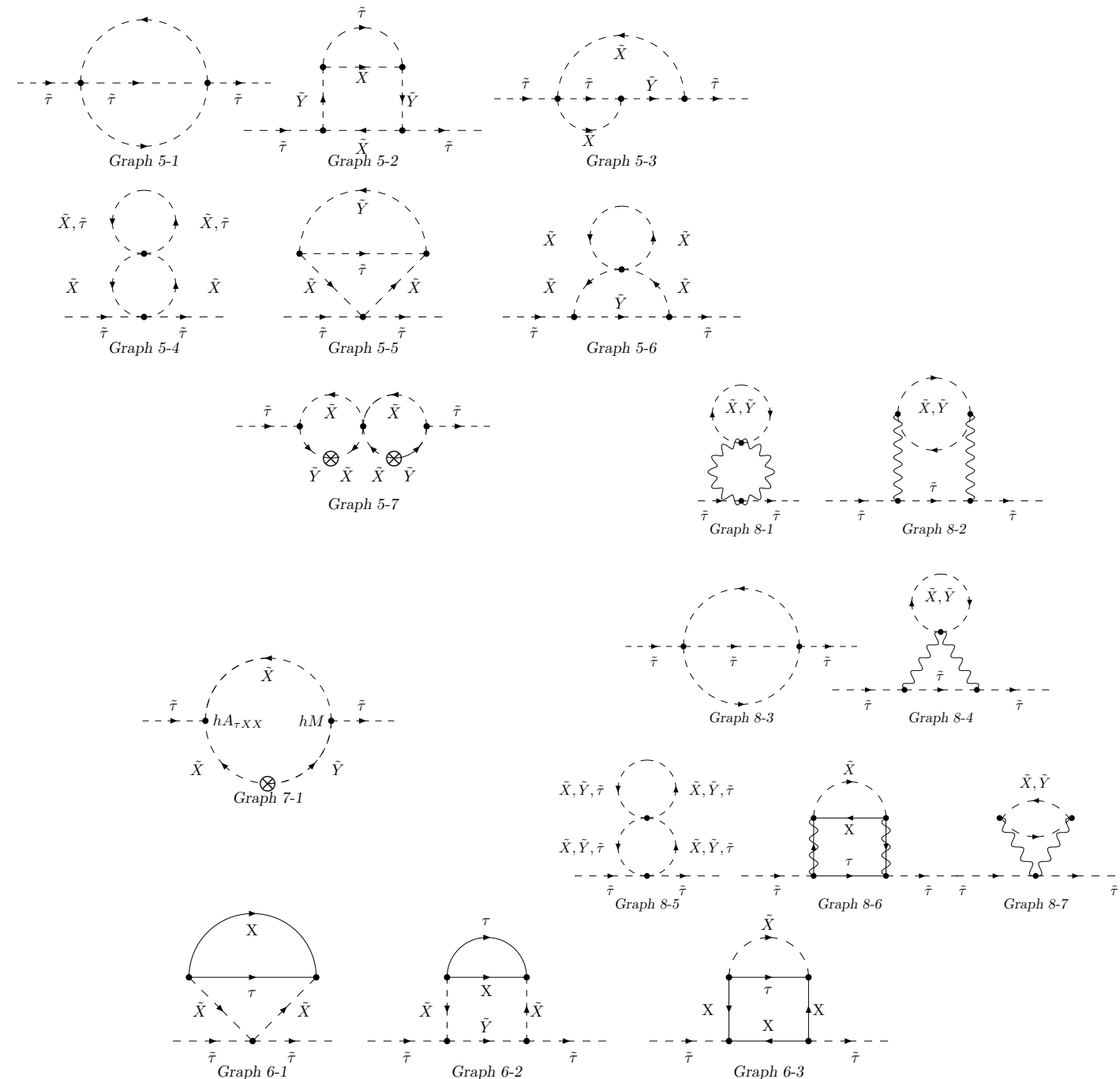
- Surprising result: depends only on physics at the energy scale of interest
- No matter how complicated the UV physics is, including flavor physics with $O(1)$ generation-dependent couplings, they all disappear from low-energy soft SUSY breaking
- e.g., decouple a massive matter field:
 - Changes the beta function
 - one-loop threshold correction precisely account for the change in gaugino mass

UV insensitivity cont.

- decouple a massive matter field
- two-loop threshold correction precisely account for the change in the anomalous dimension and hence the scalar mass (Boyda, HM, Pierce)

$$m_i^2 = -\frac{\dot{\gamma}_i}{4} m_{3/2}^2,$$

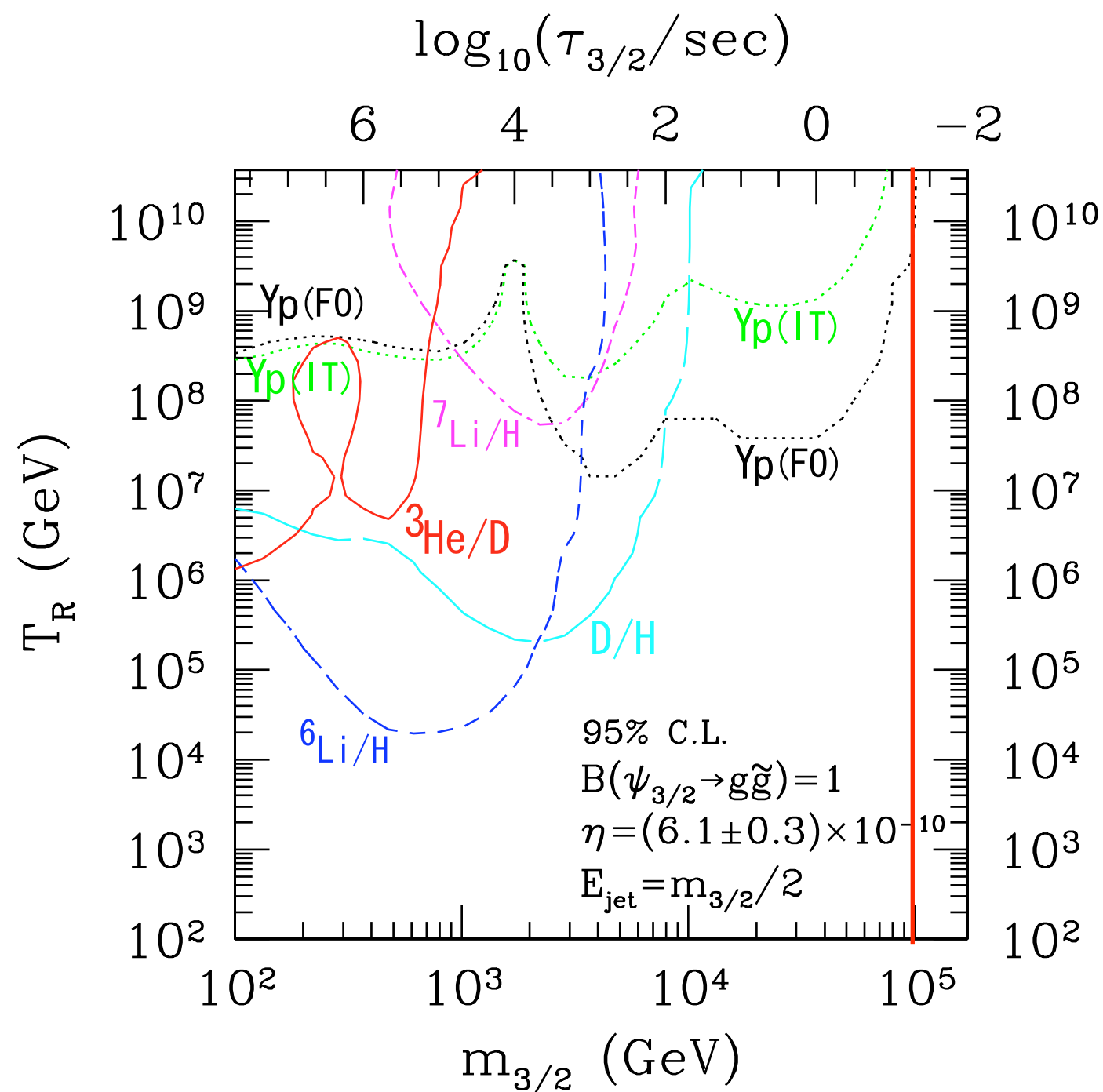
$$A_{ijk} = -\frac{1}{2}(\gamma_i + \gamma_j + \gamma_k) m_{3/2}$$



Gravitino OK

- Anomaly mediation with D-terms
- UV insensitive: solves flavor and CP problems no matter how complicated the UV physics is
- solves gravitino problem because

$$m_{3/2} \sim (4\pi)^2 m_{\text{SUSY}} \sim 50 \text{ TeV}$$
- moduli absent by definition



Kohri, Kawasaki, Moroi

What's the catch?

- Two problems
- negative slepton mass-squared
- can't have a **light bulk moduli** of $m \sim O(m_{3/2})$

cause additional terms
of $O(m_{3/2}^2/m) \sim O(m_{3/2})$

- common fixes:

- add m_0^2
- add D_Y and D_{B-L}

(Arkani-Hamed, Kaplan, HM,
Nomura)

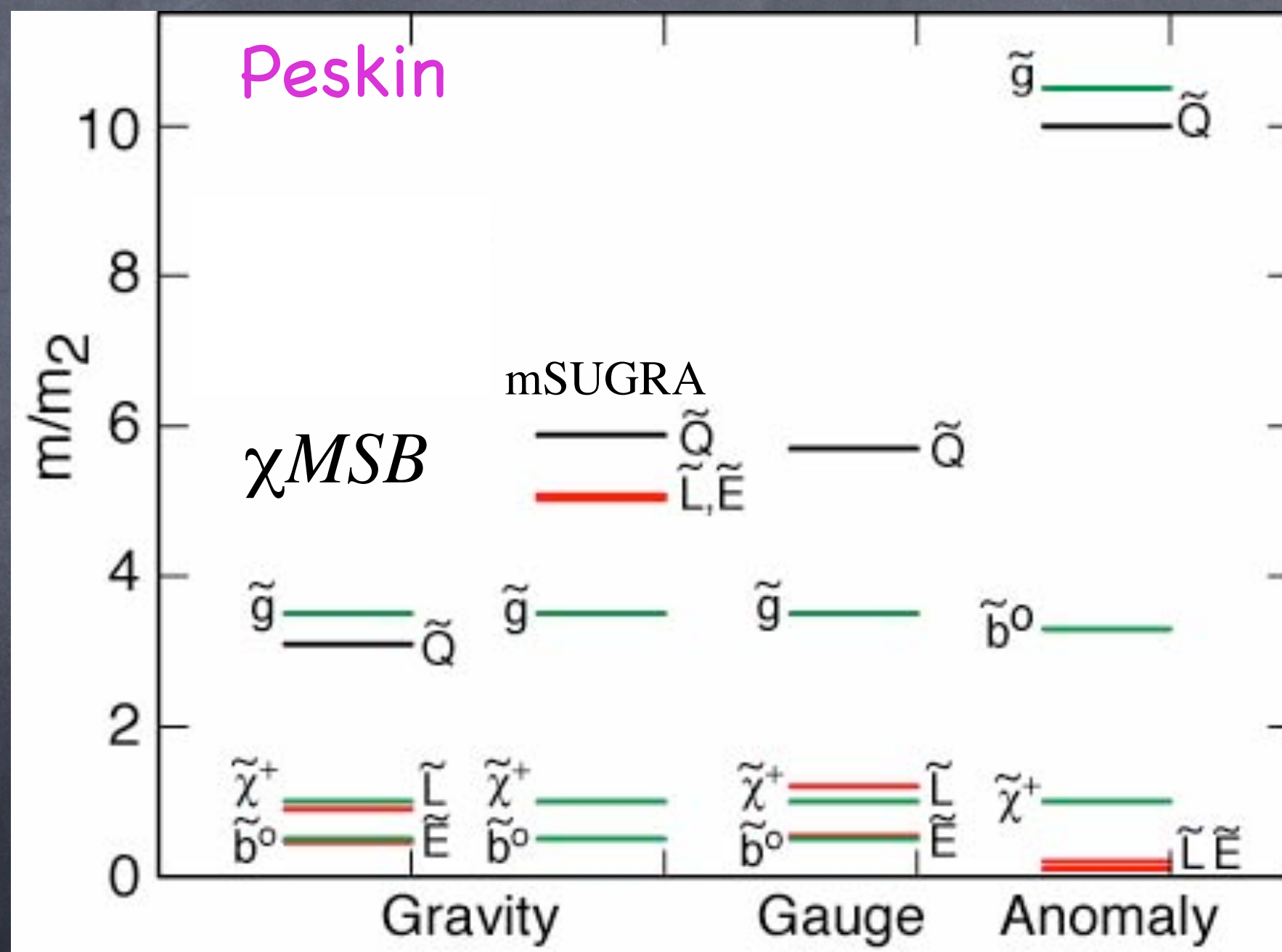
$$\begin{aligned}
 \Rightarrow m_{\tilde{l}}^2 &= -0.344M^2, \\
 \Rightarrow m_{\tilde{e}^c}^2 &= -0.367M^2, \\
 m_{\tilde{q}}^2 &= 11.6M^2, \\
 m_{\tilde{u}^c}^2 &= 11.7M^2, \\
 m_{\tilde{d}^c}^2 &= 11.8M^2, \\
 M &= \frac{m_{3/2}}{(4\pi)^2}
 \end{aligned}$$

fixing moduli

(Kachru, Kallosh, Linde, Trivedi)

- Use RR and NSNS anti-symmetric tensor fluxes on compactified space
- Fix complex structure moduli by fluxes
- Long throat in AdS (i.e. warped)
- Break SUSY with anti-D3 down the throat
- Kähler modulus with gaugino condensate?
- No SUSY breaking@tree-level (Camara, Ibáñez, Uranga) in the “bulk”
- often Kähler moduli and anomaly mediated contribution comparable (Choi et al)
- can fix negative slepton mass-squared

SUSY spectra

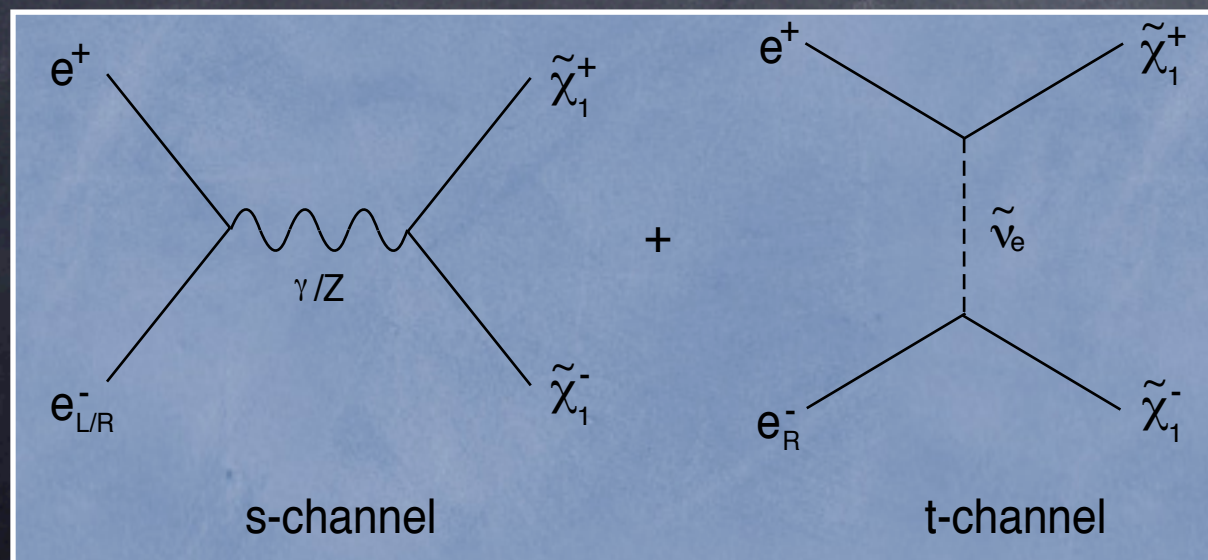


Looking Up

- Chargino/neutralino mass matrices have four parameters $M_1, M_2, \mu, \tan\beta$
- Can measure 2+4 masses
- can measure 10x2 neutralino cross sections

$$\sigma_{L,R}(e^+e^- \rightarrow \tilde{\chi}_i^0 \tilde{\chi}_j^0) \quad \sigma_{L,R}(e^+e^- \rightarrow \tilde{\chi}_i^+ \tilde{\chi}_j^-)$$

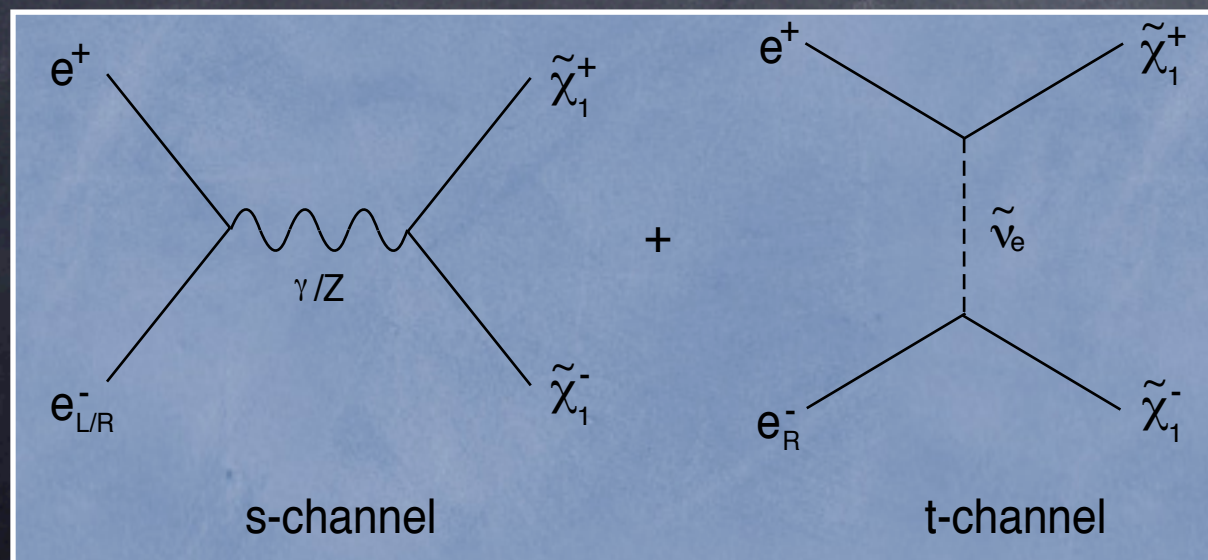
- can measure 3x2 chargino cross sections
- depend on masses of $\tilde{\nu}_e, \tilde{e}_L, \tilde{e}_R$



- Chargino/neutralino mass matrices have four parameters $M_1, M_2, \mu, \tan\beta$
- Can measure 2+4 masses
- can measure 10x2 neutralino cross sections

$$\sigma_{L,R}(e^+e^- \rightarrow \tilde{\chi}_i^0 \tilde{\chi}_j^0) \quad \sigma_{L,R}(e^+e^- \rightarrow \tilde{\chi}_i^+ \tilde{\chi}_j^-)$$

- can measure 3x2 chargino cross sections
- depend on masses of $\tilde{\nu}_e, \tilde{e}_L, \tilde{e}_R$



	input	fit
M_2	152 GeV	152 ± 1.8 GeV
μ	316 GeV	316 ± 0.9 GeV
$\tan\beta$	3	3 ± 0.7
M_1	78.7 GeV	78.7 ± 0.7 GeV

Superpartners as probe

- Most exciting thing about superpartners beyond existence:

They carry information of small-distance physics to something we can measure

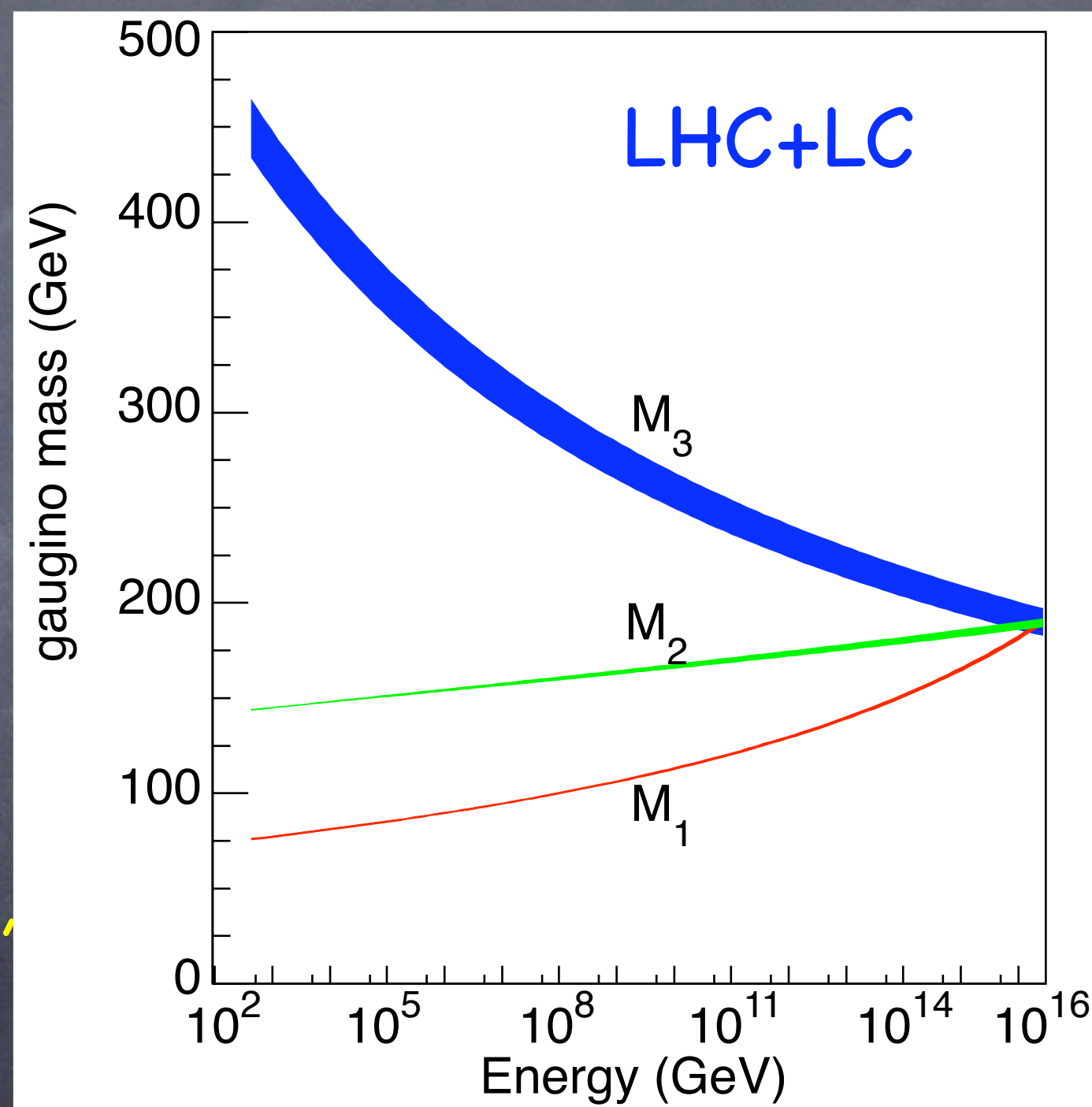
"Are forces unified?"

Superpartners as probe

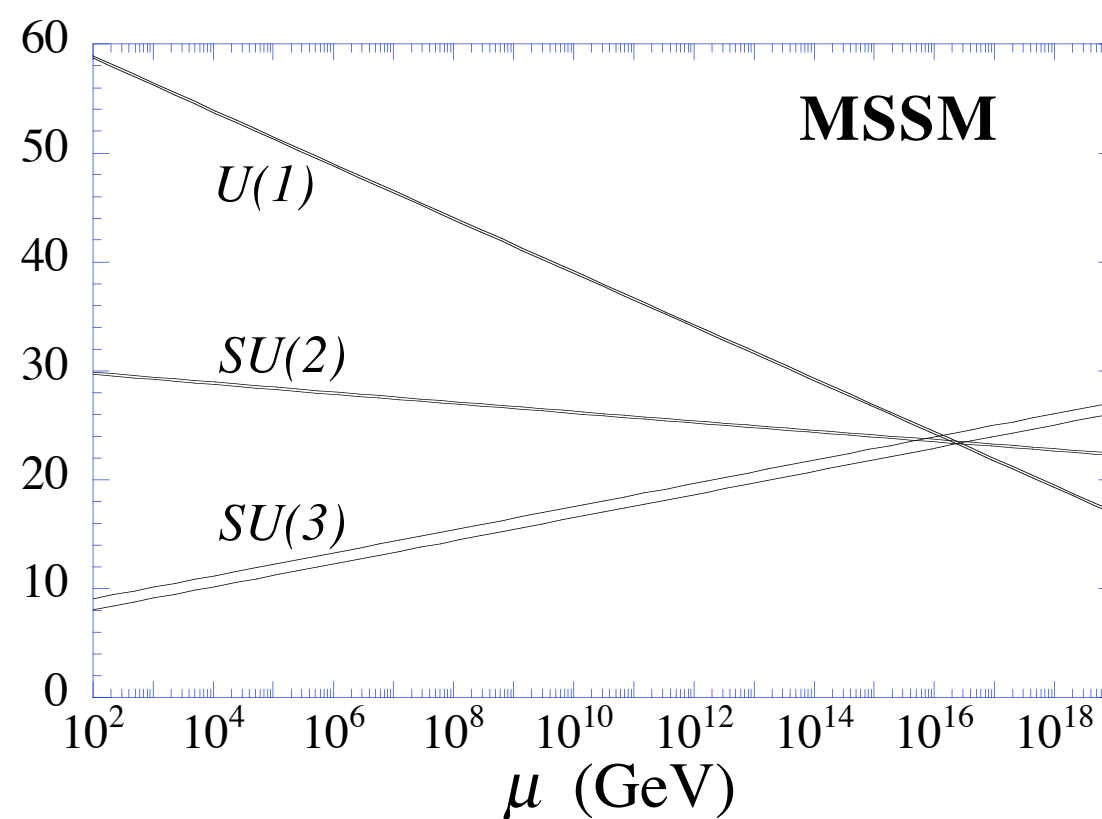
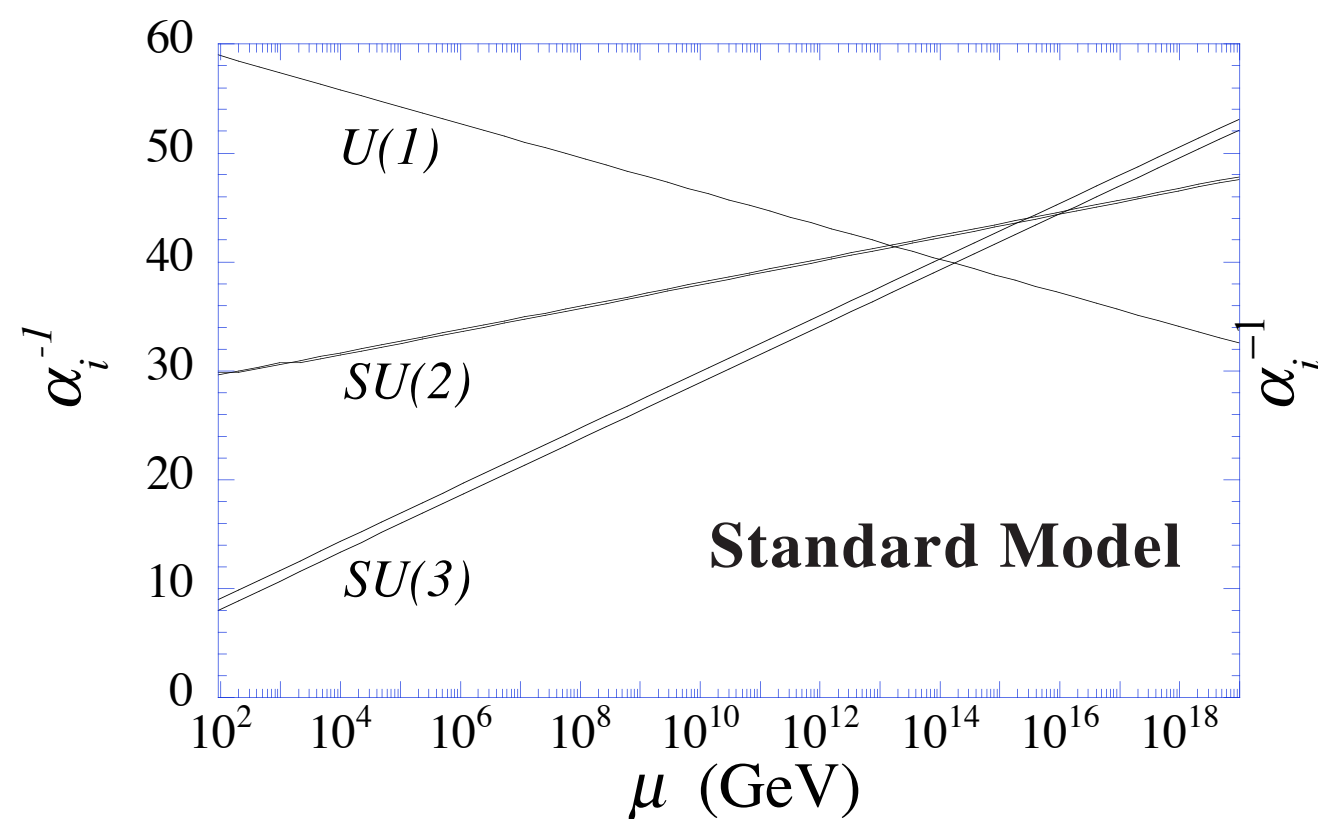
- Most exciting thing about superpartners beyond existence:

They carry information of small-distance physics to something we can measure

"Are forces unified?"



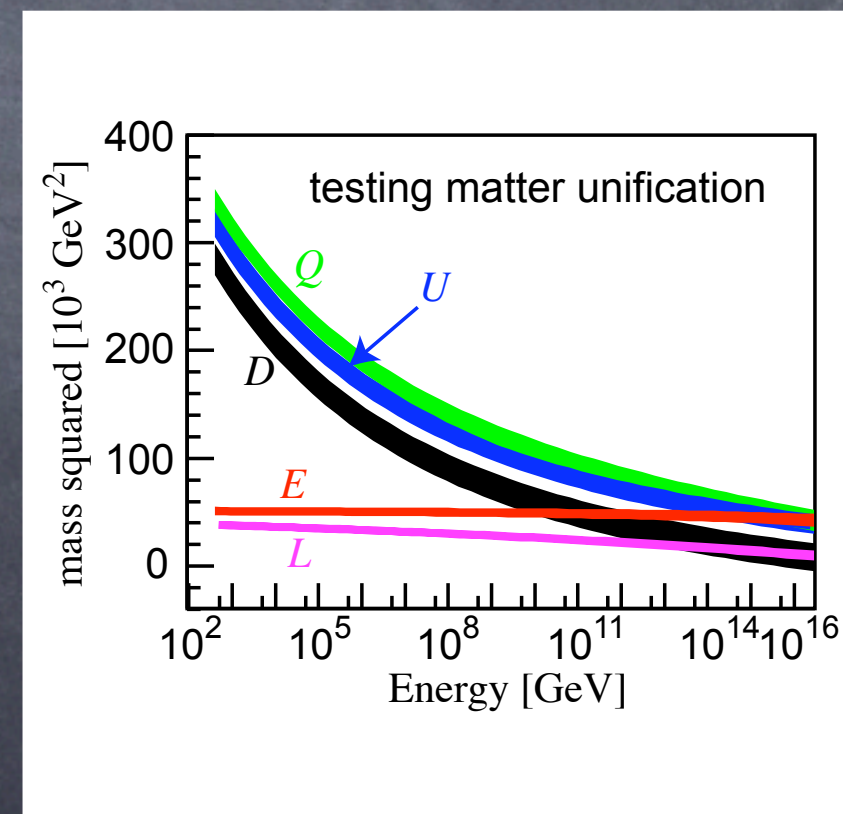
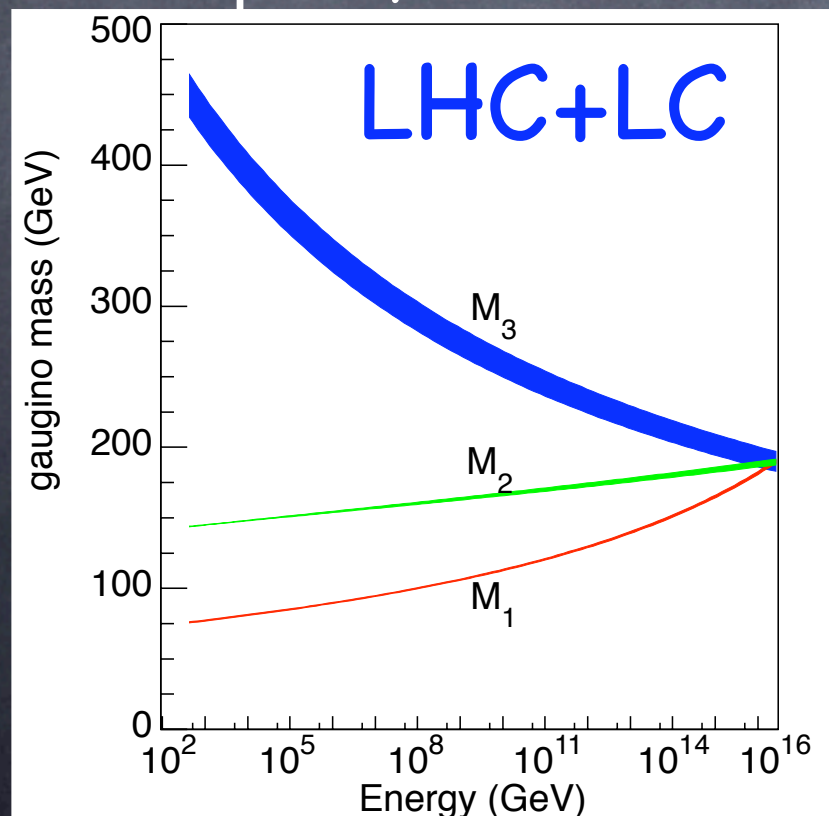
cf. gauge coupling unification



Gaugino and scalars

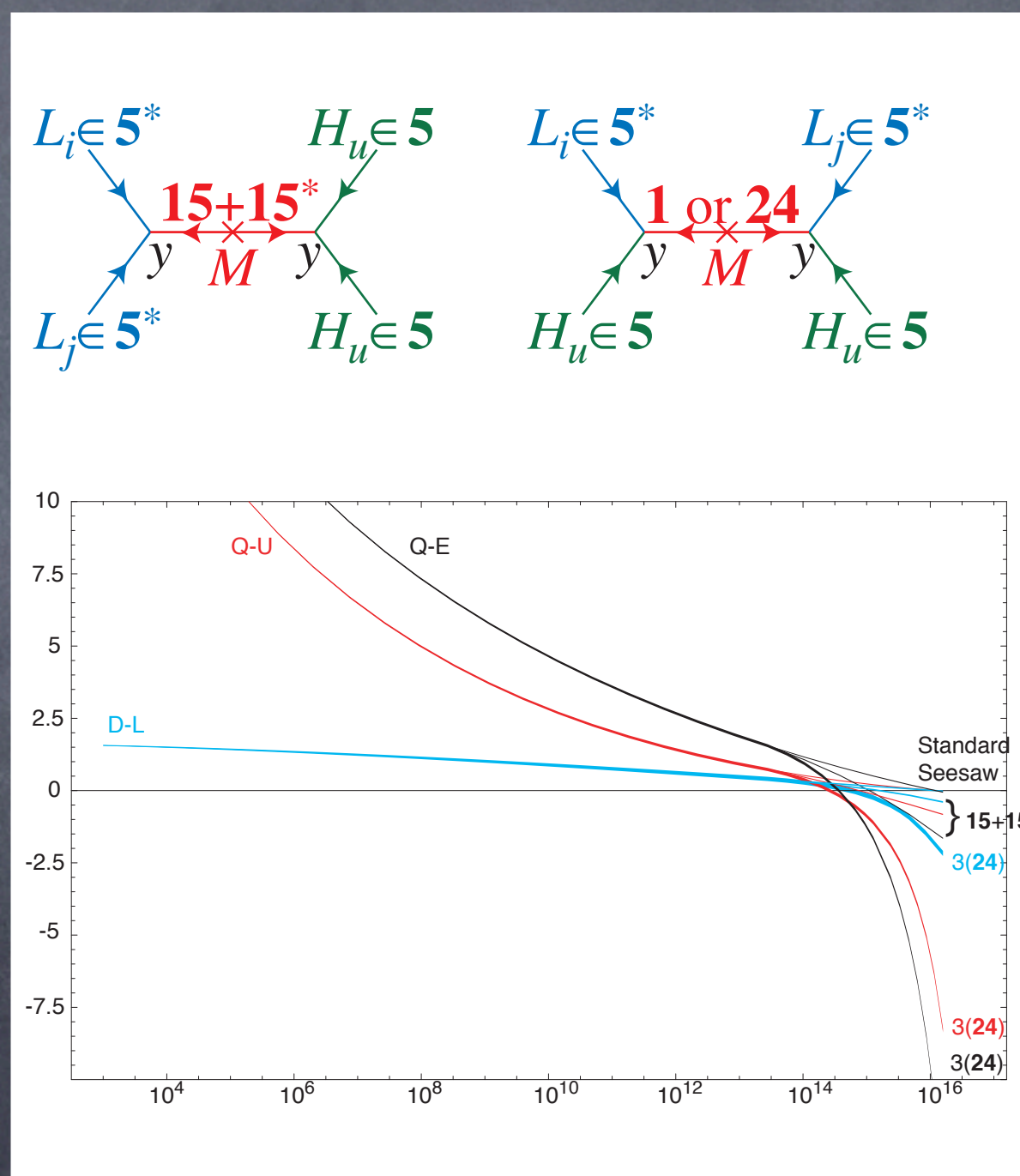
- Gaugino masses test unification itself independent of intermediate scales and extra complete SU(5) multiplets, also GMSB
- Scalar masses test beta functions at all scales, depend on the particle content

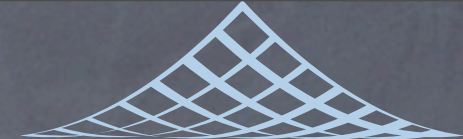
(Kawamura, HM, Yamaguchi)



No gauge non-singlets

- Highly non-trivial success of unification
- can't afford to lose it with additional particles below M_{GUT}
- but need to generate neutrino mass
- only gauge singlets allowed
- proof of seesaw!





BERKELEY CENTER FOR
THEORETICAL PHYSICS

Conclusions

Conclusions

- After three decades since Wess & Zumino, supersymmetry still very interesting and exciting area of research

Conclusions

- After three decades since Wess & Zumino, supersymmetry still very interesting and exciting area of research
- beautiful solution to the hierarchy problem

Conclusions

- After three decades since Wess & Zumino, supersymmetry still very interesting and exciting area of research
- beautiful solution to the hierarchy problem
- relevant to cosmology, unification, string theory, exact results, mathematics

Conclusions

- After three decades since Wess & Zumino, supersymmetry still very interesting and exciting area of research
- beautiful solution to the hierarchy problem
- relevant to cosmology, unification, string theory, exact results, mathematics
- may even be true!