SusyBSG: a fortran code for BR $[B \rightarrow X_s \gamma]$ in the MSSM with Minimal Flavor Violation

Pietro Slavich

CERN & LAPTH Annecy

SUSY08, Seoul, 16-21 June 2008

Based on: G. Degrassi, P. Gambino and P. S., PLB 635 (2006) 335 and arXiv:0712.3265

Radiative B decays

 $B \to X_s \gamma$ is a (not-so) rare FCNC decay, well measured at CLEO, BABAR and BELLE The SM prediction for BR($B \to X_s \gamma$) includes most of the NNLO QCD contributions



Once again, the SM prediction is in fair agreement with the experimental results

Any NP contribution must be small enough not to upset the agreement!!! The Minimal Supersymmetric Standard Model (MSSM) predicts both:

- New Particles: extended Higgs sector, gauginos, higgsinos, squarks (and sleptons)
- New FV: the soft SUSY-breaking squark masses may have arbitrary flavor structure

$$\mathcal{M}_{\tilde{d}}^{2} = \begin{pmatrix} \hat{m}_{Q}^{2} + m_{d}^{2} + D_{d_{L}} & v_{1} \hat{T}_{D} - \mu^{*} m_{d} \tan \beta \\ v_{1} \hat{T}_{D} - \mu m_{d} \tan \beta & \hat{m}_{D}^{2} + m_{d}^{2} + D_{d_{R}} \end{pmatrix}$$

The good agreement between SM predictions and experimental results for FCNC processes puts stringent constraints on the flavor structure of the soft mass terms

In the Minimal Flavor Violation (MFV) scenario the soft masses are assumed to be flavor-diagonal in the basis were the Yukawa matrices are diagonal, so that the only source of flavor violation is the CKM matrix The Minimal Supersymmetric Standard Model (MSSM) predicts both:

- New Particles: extended Higgs sector, gauginos, higgsinos, squarks (and sleptons)
- New FV: the soft SUSY-breaking squark masses may have arbitrary flavor structure

$$\mathcal{M}_{\tilde{d}}^{2} = \begin{pmatrix} \hat{m}_{Q}^{2} + m_{d}^{2} + D_{d_{L}} & v_{1}\hat{T}_{D} - \mu^{*}m_{d}\tan\beta \\ \\ v_{1}\hat{T}_{D} - \mu m_{d}\tan\beta & \hat{m}_{D}^{2} + m_{d}^{2} + D_{d_{R}} \end{pmatrix}$$

The good agreement between SM predictions and experimental results for FCNC processes puts stringent constraints on the flavor structure of the soft mass terms

In the Minimal Flavor Violation (MFV) scenario the soft masses are assumed to be flavor-diagonal in the basis were the Yukawa matrices are diagonal, so that the only source of flavor violation is the CKM matrix

SM contributions to $B \rightarrow X_s \gamma$

In the SM the LO contributions to the $b \rightarrow s \gamma$ amplitude arise at one loop



The chiral transition $b_R \rightarrow s_L$ is suppressed by a quark-mass insertion

Working out masses and couplings: ${\cal A} \propto G_F \, m_b \, \sum_i \, m_{u^i}^2 \, V_{is}^* \, V_{ib}$

An effective-theory approach is necessary to resum large logarithmic corrections

SM contributions to $B \rightarrow X_s \gamma$

In the SM the LO contributions to the $b \rightarrow s \gamma$ amplitude arise at one loop



The chiral transition $b_R \rightarrow s_L$ is suppressed by a quark-mass insertion

Working out masses and couplings: ${\cal A} \propto G_F \, m_b \, \sum_i \, m_{u^i}^2 \, V_{is}^* \, V_{ib}$

An effective-theory approach is necessary to resum large logarithmic corrections

SM contributions to $B \rightarrow X_s \gamma$

In the SM the LO contributions to the $b \rightarrow s \gamma$ amplitude arise at one loop



The chiral transition $b_R \rightarrow s_L$ is suppressed by a quark-mass insertion

Working out masses and couplings: ${\cal A} \propto G_F \, m_b \, \sum_i \, m_{u^i}^2 \, V_{is}^* \, V_{ib}$

An effective-theory approach is necessary to resum large logarithmic corrections

Integrating out the heavy particles, the operators relevant to the $b \rightarrow s$ transition are

$$\mathcal{H}_{\text{eff}} = -\frac{4 G_{\mu}}{\sqrt{2}} V_{ts}^* V_{tb} \sum_i C_i(\mu_W) Q_i(\mu_W)$$

 $Q_{1,2} = (\bar{s} \Gamma_i c) (\bar{c} \Gamma_i b), \qquad Q_{3,4,5,6} = (\bar{s} \Gamma_i b) (\bar{q} \Gamma_i q)$

$$Q_7 = \frac{e}{16\pi^2} m_b \,\overline{s}_L \,\sigma^{\mu\nu} \,b_R \,F_{\mu\nu} \,, \qquad Q_8 = \frac{g_s}{16\pi^2} \,m_b \,\overline{s}_L \,\sigma^{\mu\nu} \,T^a \,b_R \,G_{\mu\nu}$$

- Compute the matching conditions for the Wilson coefficients C_i at the scale μ_W
- Evolve the Wilson Coefficients down to the scale μ_b characteristic of B physics
- Compute BR $[B \rightarrow X_s \gamma]$ in terms of the coefficients at the B-physics scale

The presence of New Physics affects only the matching of the Wilson coefficients

$$C_i(\mu_W) = C_i^{SM}(\mu_W) + C_i^{NP}(\mu_W) \qquad (i = 1...8)$$

Integrating out the heavy particles, the operators relevant to the $b \rightarrow s$ transition are

$$\mathcal{H}_{eff} = -\frac{4 G_{\mu}}{\sqrt{2}} V_{ts}^* V_{tb} \sum_{i} C_i(\mu_W) Q_i(\mu_W)$$

$$Q_{1,2} = (\bar{s} \Gamma_i c) (\bar{c} \Gamma_i b), \qquad Q_{3,4,5,6} = (\bar{s} \Gamma_i b) (\bar{q} \Gamma_i q)$$

$$Q_7 = \frac{e}{16\pi^2} m_b \bar{s}_L \sigma^{\mu\nu} b_R F_{\mu\nu}, \qquad Q_8 = \frac{g_s}{16\pi^2} m_b \bar{s}_L \sigma^{\mu\nu} T^a b_R G_{\mu\nu}$$

- Compute the matching conditions for the Wilson coefficients C_i at the scale μ_W
- Evolve the Wilson Coefficients down to the scale μ_b characteristic of B physics
- Compute $BR[B \rightarrow X_s \gamma]$ in terms of the coefficients at the B-physics scale

The presence of New Physics affects only the matching of the Wilson coefficients

 $C_i(\mu_W) = C_i^{\rm SM}(\mu_W) + C_i^{\rm NP}(\mu_W) \qquad (i = 1...8)$

One-loop MSSM contributions to $B \rightarrow X_s \gamma$

Contributions from charged-current vertices (controlled by the CKM matrix in MFV)



Additional contributions from neutral-current vertices (only beyond MFV)



One-loop MSSM contributions to $B \rightarrow X_s \gamma$

Contributions from charged-current vertices (controlled by the CKM matrix in MFV)



Additional contributions from neutral-current vertices (only beyond MFV)



Effective Lagrangian approach at large an eta

The two Higgs fields of the MSSM give mass to up-type and down-type quarks, respectively

$$m_t = h_t v_2 , \quad m_b = h_b v_1 \qquad v_i = \langle H_i^0 \rangle$$

the MSSM Yukawa couplings are rescaled w.r.t. their SM counterparts

$$h_t^{\text{MSSM}} = \frac{h_t^{\text{SM}}}{\sin\beta}, \qquad h_b^{\text{MSSM}} = \frac{h_b^{\text{SM}}}{\cos\beta} \qquad \tan\beta = \frac{v_2}{v_1}$$

In particular, $\frac{h_b}{h_t} = \frac{m_b}{m_t} \tan\beta$, thus $h_b \simeq h_t$ for $\tan\beta \sim 40 - 50$

At large $\tan \beta$ diagrams involving a bottom Yukawa coupling are not necessarily suppressed by m_b , unless they also contain at least one insertion of v_1

For example, there are unsuppressed diagrams that involve charginos:



Effective Lagrangian approach at large $\tan\beta$

The two Higgs fields of the MSSM give mass to up-type and down-type quarks, respectively

$$m_t = h_t v_2 , \quad m_b = h_b v_1 \qquad v_i = \langle H_i^0 \rangle$$

the MSSM Yukawa couplings are rescaled w.r.t. their SM counterparts

$$h_t^{\text{MSSM}} = \frac{h_t^{\text{SM}}}{\sin\beta}, \qquad h_b^{\text{MSSM}} = \frac{h_b^{\text{SM}}}{\cos\beta} \qquad \tan\beta = \frac{v_2}{v_1}$$

In particular, $\frac{h_b}{h_t} = \frac{m_b}{m_t} \tan\beta$, thus $h_b \simeq h_t$ for $\tan\beta \sim 40 - 50$

At large $\tan \beta$ diagrams involving a bottom Yukawa coupling are not necessarily suppressed by m_b , unless they also contain at least one insertion of v_1

$$Q_7 = \frac{e}{16\pi^2} m_b \,\overline{s}_L \,\sigma^{\mu\nu} \,b_R \,F_{\mu\nu}$$



Effective Lagrangian approach at large an eta

The two Higgs fields of the MSSM give mass to up-type and down-type quarks, respectively

$$m_t = h_t v_2 , \quad m_b = h_b v_1 \qquad v_i = \langle H_i^0 \rangle$$

the MSSM Yukawa couplings are rescaled w.r.t. their SM counterparts

$$h_t^{\text{MSSM}} = \frac{h_t^{\text{SM}}}{\sin\beta}, \qquad h_b^{\text{MSSM}} = \frac{h_b^{\text{SM}}}{\cos\beta} \qquad \tan\beta = \frac{v_2}{v_1}$$

In particular, $\frac{h_b}{h_t} = \frac{m_b}{m_t} \tan\beta$, thus $h_b \simeq h_t$ for $\tan\beta \sim 40 - 50$

At large $\tan \beta$ diagrams involving a bottom Yukawa coupling are not necessarily suppressed by m_b , unless they also contain at least one insertion of v_1

For example, there are unsuppressed diagrams that involve charginos:



One-loop corrections to the charged-Higgs-quark vertices induce $\tan \beta$ -enhanced contributions to the $b_R \rightarrow s_L$ transition at two loops



 $B_{\mu} \propto v_1 v_2$, so the one-loop Higgs contribution has the usual m_b suppression

Inserting a gluino-squark loop in the Higgs-quark vertices allows us to bypass B_{μ}





For heavy superpartners the leading NLO terms can be computed with an effective Lagrangian. Integrating out the SUSY particles leaves us with effective Higgs-quark-quark vertices:

$$\mathcal{L} \supset \frac{g}{\sqrt{2}M_{W}}G^{+}\left\{m_{t}V_{ts}\bar{t}_{R}s_{L}-m_{b}V_{tb}\frac{1+\epsilon_{b}'(t)\tan\beta}{1+\epsilon_{b}\tan\beta}\bar{t}_{L}b_{R}\right\}$$

$$+ \frac{g}{\sqrt{2}M_{W}}H^{+}\left\{V_{ts}\frac{m_{t}\left[1-\epsilon_{t}'(s)\tan\beta\right]}{\tan\beta}\bar{t}_{R}s_{L}+V_{tb}\frac{m_{b}\tan\beta}{1+\epsilon_{b}\tan\beta}\bar{t}_{L}b_{R}\right\} + \text{h.c.}$$

$$\begin{bmatrix} H_{2}^{0} & H_{2}^{+} \\ \tilde{b}_{L} & \tilde{b}_{R} \\ \tilde{b}_{L} & \tilde{b}_{R} \\ \tilde{b}_{L} & \tilde{b}_{R} \\ \tilde{g} \\ \end{array}\right. \qquad b_{R} \begin{bmatrix} H_{2}^{+} & H_{2}^{+} \\ \tilde{b}_{R} & \tilde{b}_{R} \\ \tilde{g} \\ \tilde{g} \\ \tilde{g} \\ L \\ \tilde{g} \\ \tilde{g}$$

 $\epsilon_b \qquad \epsilon_b'(t) \qquad \epsilon_t'(s)$

Computing the one-loop diagrams with these effective Higgs-quark-quark vertices we get

$$\delta C_{7,8}^{(G^{\pm})}(\text{leading } \tan \beta) = \frac{[\epsilon_b - \epsilon'_b(t)] \tan \beta}{1 + \epsilon_b \tan \beta} F_{7,8}(m_t^2/m_W^2)$$

$$\delta C_{7,8}^{(H^{\pm})}(\text{leading } \tan \beta) = -\frac{[\epsilon'_t(s) + \epsilon_b] \tan \beta}{1 + \epsilon_b \tan \beta} F_{7,8}(m_t^2/m_H^2)$$

For heavy superpartners the leading NLO terms can be computed with an effective Lagrangian. Integrating out the SUSY particles leaves us with effective Higgs-quark-quark vertices:

$$\mathcal{L} \supset \frac{g}{\sqrt{2}M_{W}}G^{+}\left\{m_{t}V_{ts}\bar{t}_{R}s_{L} - m_{b}V_{tb}\frac{1 + \epsilon_{b}'(t)\tan\beta}{1 + \epsilon_{b}\tan\beta}\bar{t}_{L}b_{R}\right\}$$

$$+ \frac{g}{\sqrt{2}M_{W}}H^{+}\left\{V_{ts}\frac{m_{t}\left[1 - \epsilon_{t}'(s)\tan\beta\right]}{\tan\beta}\bar{t}_{R}s_{L} + V_{tb}\frac{m_{b}\tan\beta}{1 + \epsilon_{b}\tan\beta}\bar{t}_{L}b_{R}\right\} + \text{h.c.}$$

$$\overset{H_{2}^{0}}{\tilde{b}_{L}}\overset{L}{\to}\overset{\tilde{b}_{R}}{\tilde{b}_{R}}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{R}}{\to}\overset{\tilde{b}_{$$

 $\epsilon_b \qquad \epsilon_b'(t) \qquad \epsilon_t'(s)$

Computing the one-loop diagrams with these effective Higgs-quark-quark vertices we get

$$\delta C_{7,8}^{(G^{\pm})}(\text{leading } \tan\beta) = \frac{[\epsilon_b - \epsilon'_b(t)] \tan\beta}{1 + \epsilon_b \tan\beta} F_{7,8}(m_t^2/m_W^2) \approx 0$$

$$\delta C_{7,8}^{(H^{\pm})}(\text{leading } \tan\beta) = -\frac{[\epsilon'_t(s) + \epsilon_b] \tan\beta}{1 + \epsilon_b \tan\beta} F_{7,8}(m_t^2/m_H^2)$$

Beyond the effective Lagrangian approach

If the superparticles are not much heavier than the weak scale the effective Lagrangian approach may provide a poor approximation to the complete result

Also, the two-loop chargino contributions to $BR(B \rightarrow X_s \gamma)$ include $\tan \beta$ -enhanced terms that would be missed in the effective Lagrangian approach



The two-loop contributions involving gluons were computed long ago in the limit of heavy gluinos [Ciuchini, Degrassi, Gambino & Giudice (1998); Bobeth, Misiak & Urban (1999)]

More recently we computed the two-loop contributions involving gluinos in the MFV scenario [Degrassi, Gambino & P.S., PLB 635, 335 (2006)]

Two-loop diagrams with gluino and Higgs or W boson



(f)

(g)

S

Two-loop diagrams with gluino and chargino



One-loop contributions to the four-fermion operators













Outline of the NLO calculation

We followed the same procedure as in the earlier computation of gluon corrections:

- write down all the two-loop $b \rightarrow s \gamma$ amplitudes
- extract the contributions to $Q_{7,8}$ using a suitable projector
- expand the diagrams in powers of the external momenta, neglecting all terms suppressed by m_b/m_W or m_b/m_{susy}
- work out the resulting two-loop vacuum integrals

A complication: the MFV condition is affected by radiative corrections!!!

 u_i

S

 \tilde{g}

Flavor-changing gluino vertices induce poles that need to be cancelled by suitable counterterms

Squark flavor mixing itself must be renormalized:

if the squark masses are flavor-diagonal at $\mu_{\rm MFV}$, they will not be so at a different scale

Two numerical examples

We assume that the squark soft SUSY-breaking masses and trilinear interactions are expressed in the $\overline{\text{DR}}$ renormalization scheme at a scale $\mu_{\text{SUSY}} = \mu_{\text{MFV}} = 500 \text{ GeV}$

We consider two sets of representative choices for the MSSM input parameters:

 $m_Q = 230 \text{ GeV}, \quad m_T = 210 \text{ GeV}, \quad m_B = 260 \text{ GeV}, \quad A_t = -70 \text{ GeV}, \quad A_b = 0,$ $m_{H^{\pm}} = 350 \text{ GeV}, \quad m_{\tilde{g}} = M_2 = 200 \text{ GeV}, \quad \mu = 250 \text{ GeV}, \quad \tan \beta = 30$

(I)

(II)

 $m_Q = 480 \text{ GeV}, \quad m_T = 390 \text{ GeV}, \quad m_B = 510 \text{ GeV}, \quad A_t = -560 \text{ GeV}, \quad A_b = -960 \text{ GeV},$ $m_{H^{\pm}} = 430 \text{ GeV}, \quad m_{\tilde{g}} = 600 \text{ GeV}, \quad M_2 = 190 \text{ GeV}, \quad \mu = 390 \text{ GeV}, \quad \tan \beta = 10$

(SPS1a benchmark point: $m_{1/2} = 250 \text{ GeV}, m_0 = 70 \text{ GeV}, A_0 = -300 \text{ GeV}$)

We compare our full NLO results with the results of the effective Lagrangian approach

To study the decoupling behavior for heavy superparticles, we rescale all the SUSY masses by a common increasing factor *(but we keep m_H fixed)*



The program SusyBSG

A public fortran code for the NLO calculation of $BR(B \rightarrow X_s \gamma)$ in the MSSM with MFV

G. Degrassi, P. Gambino and P.S., arXiv:0712.3265

- The program includes our full two-loop-QCD calculation of the matching conditions
- The result of the effective-Lagrangian approximation is provided for comparison
- The program also allows to take into account at LO the effect of squark flavor violation
- The relation between Wilson coefficients and branching ratio is computed at NLO following *P. Gambino and M. Misiak, Nucl. Phys. B611 (2001) 338* but the free scales are adjusted so as to reproduce the NNLO result in the SM

SusyBSG can be downloaded from <u>http://cern.ch/slavich/susybsg/</u>

The program SusyBSG

000	Home Page of St	usyBSG	0
🖕 - 📄 - 🥰 💿 🟠 😣 http://slav	vich.web.cern.ch/slavich/susybsg/	🔻 🕨 🤇 🖲 🗸 Google	۹ 🐇
fr.arXiv.org e-Print a SPIRES HEP Database	e Repubblica.it/Homep IL MANIFESTO CNN.com International BBG	C NEWS News Fro Economist.com Facebook Welcome Wikipedia Micr	rosoft Outlook W
Home Page of SusyI	BSG Lot Line (Line)		The factor
A program for the NLO cal	lculation of BR[B $\rightarrow X_s \gamma$] in the MSSM with	h Minimal Flavor Violation	
Code written by : Giuseppe Degrassi (Latest version : v 1.1.1, latest modifi arXiv:0712.3265 : is the reference to be hep-ph/0601135 : provides details on the The Fortran code SusyBSG calculates the	Università di Roma Tre), Paolo Gambino (Università di Torino) and ications on 05/03/2008. e used for the program (see below for the up-to-date manual). he two-loop calculation [published in <i>Phys. Lett. B 635 (2006) 335-3</i> e branching ratio for the decay $B \rightarrow X_e \gamma$ in the MSSM with Minimal	Pietro Slavich (CERN and LAPTH-Annecy). 42]. I Flavor Violation.	A) and all b
The computation takes into account all the Wilson coefficients of the magnetic and cl Wilson coefficients and the $B \rightarrow X_s \gamma$ brack	e available NLO contributions, including the complete supersymmetr hromomagnetic operators, as well as an improved NLO determination anching ratio.	ic QCD corrections to the n of the relation between the	tark At a filt
Here we provide the source code and mar	nual, updated information on changes, bugs, etc.		
Information on SusyBSG:			b Smill no Chi
 The up-to-date user manual (latest versi Short explanations on how to compile a Modifications and corrected bugs are determined by the state of the	ion: 18/02/2008) can be found <u>here</u> . and run the code are given in <u>this file</u> . letailed in <u>this file</u> .		
Download the latest version SusyBS	G v 1.1.1 :		Couls.
SusyBSG 1.1.1.tar.gz : source codes for	or all the routines in a compressed .tar archive.		Sec. With
What's new:			이 구 개도
 05/03/2008 - v 1.1.1 - bug corrected in 18/02/2008 - v 1.1 - the code can now i 12/02/2008 - v 1.0.3 - two more bugs c 25/01/2008 - v 1.0.2 - bug corrected in 23/01/2008 - v 1.0.1 - new routine for t 19/12/2007 - v 1.0 - SusyBSG is released 	the computation of the squark mass matrices in the presence of flavo read also the SM input parameters (in addition to the SUSY parameter corrected in the result of the effective theory approximation (thanks to the result of the effective theory approximation (thanks to Roberto R the diagonalization of the 6x6 squark mass matrices (courtesy of Tho sed	r mixing ers) from a SLHA spectrum file Lars Hofer for spotting one of them) uiz) mas Hahn)	$\left(\begin{array}{c} \left(\begin{array}{c} 1 \\ 1 \end{array}\right) & \begin{array}{c} 1 \\ 1 \\ 1 \end{array}\right) & \begin{array}{c} 1 \\ 1 \end{array}\right) & \begin{array}{c} 1 \\ 1 \\ 1 \end{array}\right) & \begin{array}{c} 1 \\ 1 \end{array}\right) & \begin{array}{c} 1 \\ 1 \\ 1 \end{array}$
Earlier versions: to download earlier ve	ersions of SusyBSG (but why would you?) please go to the archive.		Canton -
For additional information, comments, con the authors: Giuseppe Degrassi, Paolo Ga	mplaints or suggestions please write to mbino, Pietro Slavich,		に手作
Done			

The program SusyBSG

A public fortran code for the NLO calculation of $BR(B \rightarrow X_s \gamma)$ in the MSSM with MFV

G. Degrassi, P. Gambino and P.S., arXiv:0712.3265

- The program includes our full two-loop-QCD calculation of the matching conditions
- The result of the effective-Lagrangian approximation is provided for comparison
- The program also allows to take into account at LO the effect of squark flavor violation
- The relation between Wilson coefficients and branching ratio is computed at NLO following *P. Gambino and M. Misiak, Nucl. Phys. B611 (2001) 338* but the free scales are adjusted so as to reproduce the NNLO result in the SM

SusyBSG can be downloaded from <u>http://cern.ch/slavich/susybsg/</u>

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients



The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv

common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv, \$ msq3, mstr, msbr, msql, At, \$ ciSM, c7SM, c8SM, ciNP scheme(1): squark masses scheme(2): MFV condition .true. = OS, .false. = \overline{DR}

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, μ_0 , μ_{SUSY} , μ_{MFV})

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients



getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

\$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
\$
$$C_i^{\text{SM}}(\mu_0)$$
, $C_i^{\text{NP}}(\mu_0)$ ($i = 1...8$) prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \to X_s \gamma$ at NLO in Q(flags for accidentally similar masses)

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv

common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP prob, eqmass)

getBR computes the branching ratio for $B \to X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR
$$\mu_W$$
, μ_t , μ_b , μ_c E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR) $E_{\gamma} > E_{0}$ The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR $[B \rightarrow X_s \gamma]$

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ m_Z , m_W , m_t , $m_b(m_b)$, m_h , $\alpha_s(m_Z)$, $\alpha(m_Z)^{-1}$ common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsi, bsi, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BK $\alpha(m_0)^{-1}$, $m_c(m_c)$, m_s/m_b , λ_2 , C, BR[$b \rightarrow X_c e\nu$], λ , A, $\overline{\rho}$, $\overline{\eta}$

WilsonCoeff computes the weak-scale matching conditions for the Wilson Coefficients

call WilsonCoeff(imod, scheme, mu0, mususy, mumfv,

- \$ msq3, mstr, msbr, msql, At, Ab, mHp, mg, M2, mu, tanb,
- \$ ciSM, c7SM, c8SM, ciNP, c7NP, c8NP, prob, eqmass)

getBR computes the branching ratio for $B \rightarrow X_s \gamma$ at NLO in QCD

call getBR(muw, mut, mub, muc, E0, ciNP, c7NP, c8NP, BR)

The SM and B-physics input parameters must be provided in common blocks

common/SMINPUTS/ mz, mw, mtpole, mbmb, hsm, asmz, azinv common/BRINPUTS/ a0inv, mcmc, rbs, hlam, ccsl, bsl, lambda, A, rhobar, etabar

Summary

- SM prediction and exp. measurement of $BR(B \rightarrow X_s \gamma)$ agree very well, putting severe constraints on the flavor structure of any New Physics model
- In the MSSM large contributions to $BR(B \rightarrow X_s \gamma)$ can arise even with MFV
- To achieve a theoretical accuracy even remotely comparable to that of the experimental results we must compute the SUSY-QCD contributions at NLO
- The program SusyBSG provides the most complete NLO calculation (so far) of $BR(B \rightarrow X_s \gamma)$ in the MSSM with Minimal Flavor Violation

Thank you!!!